CONTENT PAGE

S/NO	CHAPTER	PAGE NO
SECT	ON I: MEASUREMENT	3
1	Measurement	4
SECT	ON II: NEWTONIAN MECHANICS	9
2	Kinematics	10
3	Dynamics	11
4	Forces	14
5	Work, Energy and Power	16
6	Motion in a Circle	18
7	Gravitational Field	19
8	Oscillations	23
SECT	ON III: THERMAL PHYSICS	27
9	Thermal Physics	28
SECT	ON IV: WAVES	31
10	Wave Motion	32
11	Superposition	35
SECT	ON V: ELECTRICITY & MAGNETISM	40
12	Electric Fields	41
13	Current of Electricity	45
14	D.C. Circuits	49
15	Electromagnetism	53
16	Electromagnetic Induction	58
17	Alternating Currents	63
SECT	ON VI: MODERN PHYSICS	65
18	Quantum Physics	66
19	Lasers & Semiconductors	71
20	Nuclear Physics	74

SECTION I MEASUREMENT

Chapter 1: Measurement

- SI Units
- Errors and Uncertainties

- Scalars and Vectors

a. Recall the following base quantities and their units; mass (kg), length (m), time (s), current (A), temperature (K), amount of substance (mol).

Base Quantities	SI Units		
Base Quantities	Name	Symbol	
Length	metre	m	
Mass	kilogram	kg	
Time	second	S	
Amount of substance	mole	mol	
Temperature	Kelvin	K	
Current	ampere	A	
Luminous intensity	candela	cd	

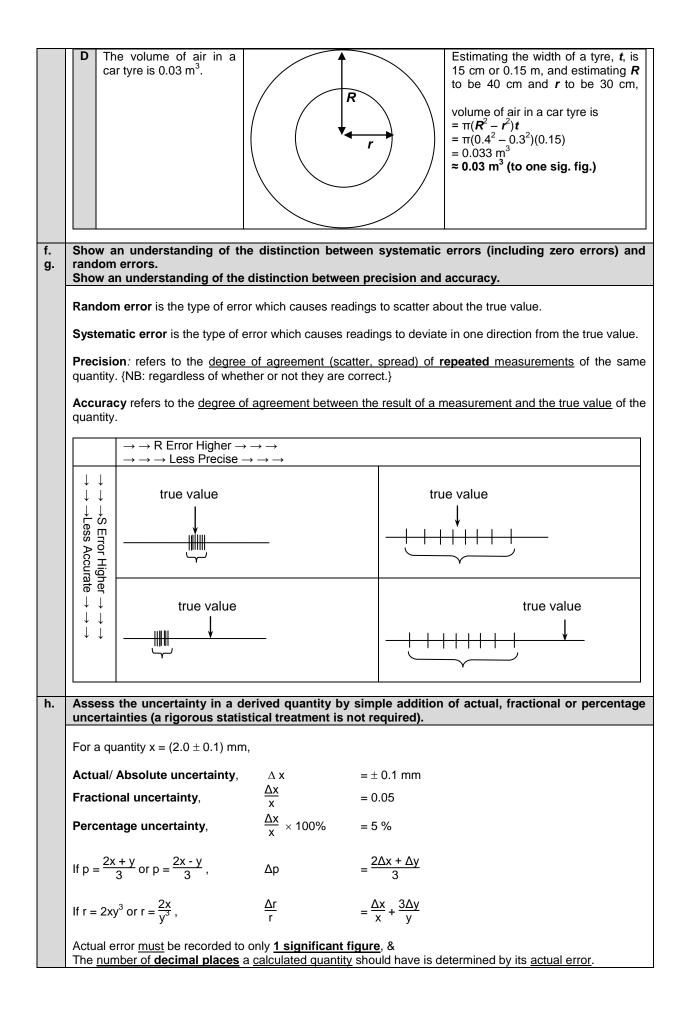
b. Express derived units as products or quotients of the base units and use the named units listed in 'Summary of Key Quantities, Symbols and Units' as appropriate.

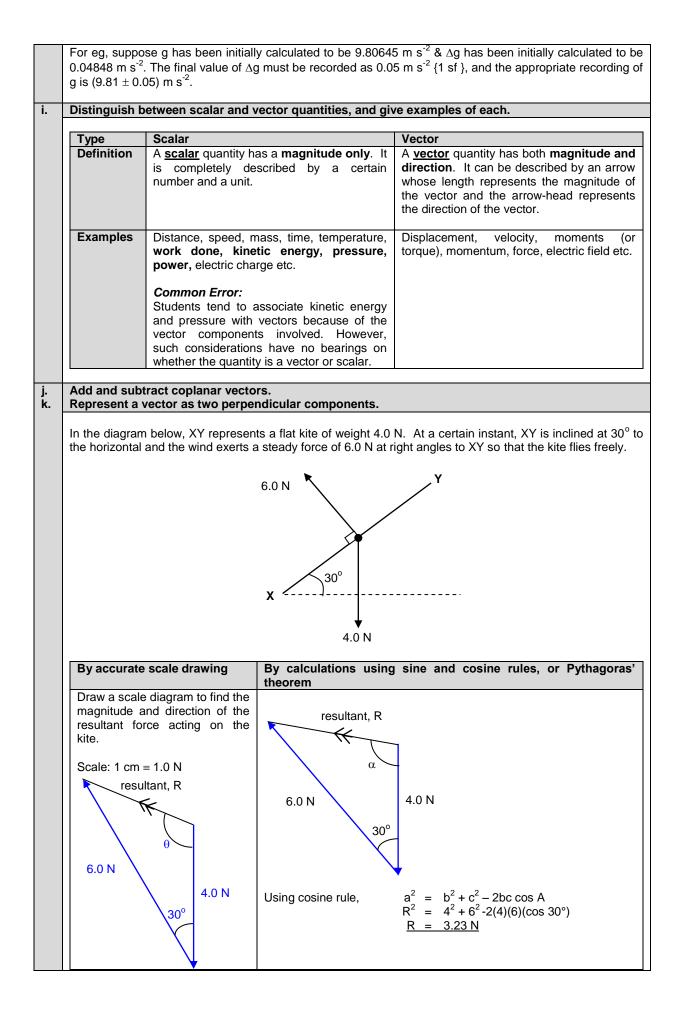
A derived unit can be expressed in terms of products or quotients of base units.

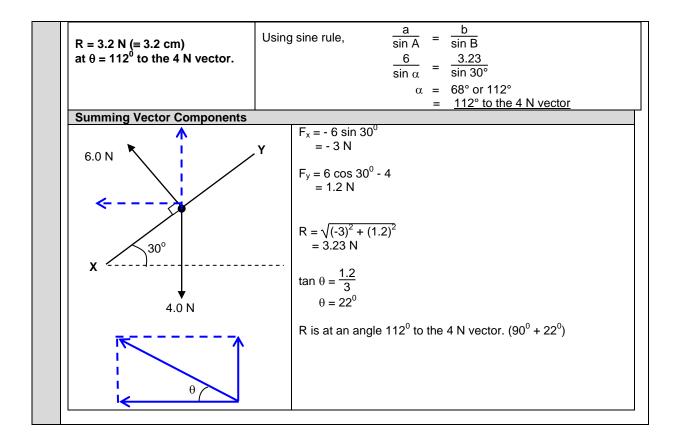
Derived Quantities	Equation	Derived Units
Area (A)	$A = L^2$	m ²
Volume (V)	$V = L^3$	m ³
Density (ρ)	$\rho = \frac{m}{V}$	$\frac{\text{kg}}{\text{m}^3} = \text{kg m}^{-3}$
Velocity (v)	$V = \frac{L}{t}$	$\frac{m}{s} = m s^{-1}$
Acceleration (a)	$a = \frac{\Delta V}{t}$	$\frac{m s^{-1}}{s} = m s^{-2}$
Momentum (p)	p = m x v	$(kg)(m s^{-1}) = kg m s^{-1}$

Derived Quantities Equation		Derived Unit		Derived Units
Derived Quantities	Equation	Special Name	Symbol	Derived Offics
Force (F)	$F = \frac{\Delta p}{t}$	Newton	Ν	$\frac{\text{kg m s}^{-1}}{\text{s}} = \text{kg m s}^{-2}$
Pressure (p)	$p = \frac{F}{A}$	Pascal	Ра	$\frac{\text{kg m s}^{-2}}{\text{m}^2} = \text{kg m}^{-1} \text{ s}^{-2}$
Energy (E)	E = F x d	joule	J	$(kg m s^{-2})(m) = kg m^2 s^{-2}$
Power (P)	$P = \frac{E}{t}$	watt	W	$\frac{\text{kg m}^2 \text{ s}^{-2}}{\text{s}} = \text{kg m}^2 \text{ s}^{-3}$
Frequency (f)	$f = \frac{1}{t}$	hertz	Hz	$\frac{1}{s} = s^{-1}$
Charge (Q)	Q = I x t	coulomb	С	As
Potential Difference (V)	$V = \frac{E}{Q}$	volt	V	$\frac{\text{kg m}^2 \text{ s}^{-2}}{\text{A s}} = \text{kg m}^2 \text{ s}^{-3} \text{ A}^{-1}$
Resistance (R)	$R = \frac{V}{I}$	ohm	Ω	$\frac{\text{kg m}^2 \text{ s}^{-3} \text{ A}^{-1}}{\text{A}} = \text{kg m}^2 \text{ s}^{-3} \text{ A}^{-2}$

Self-explanatory		
		o indicate decimal sub-multiples or multiples of b ro (μ), milli (m), centi (c), deci (d), kilo (K), mega (
Multiplying Factor	Prefix	Symbol
10 ⁻¹²	pico	р
10 ⁻⁹	nano	n
10 ⁻⁶	micro	μ
10 ⁻³ 10 ⁻²	milli	m
10 10 ⁻¹	centi deci	d c
10^{3}	kilo	k
10 ⁶	mega	N
10 ⁹	giga	G
10 ¹²	tera	T
Make reasonable estimat	tes of physical quantitie	es included within the syllabus.
an estimate is not very pre		Reasonable Estimate
Mass of 3 cans (330 ml)	of Coke	1 kg
Mass of a medium-sized		1000 kg
Length of a football field		100 m
Reaction time of a young	j man	0.2 s
counting squares	within the enclosed area	imate the area under a graph. The usual method is used. (eg. Topic 3 (Dynamics), N94P2Q1c) a and a simple calculation may be involved. -year-old's 2.4-km run.
velocity	ume	
velocity	$=\frac{2400}{12.5 \times 60} = 3.2$	
velocity		
velocity <u>EXAMPLE 1E2 (N08/ I/ 2)</u> Which estimate is realistic	$=\frac{2400}{12.5 \times 60} = 3.2$ $\approx 3 \text{ m s}^{-1}$	
EXAMPLE 1E2 (N08/ I/ 2)	$=\frac{2400}{12.5 \times 60} = 3.2$ $\approx 3 \text{ m s}^{-1}$	
EXAMPLE 1E2 (N08/ I/ 2) Which estimate is realistic	$= \frac{2400}{12.5 \times 60} = 3.2$ $\frac{\approx 3 \text{ m s}^{-1}}{220000000000000000000000000000000000$	travelling on an expressway will travel between 50 s 13.8 to 22.2 m s ⁻¹ . Thus, its KE will be approximate. Thus, for its KE to be 30 000J: $162m = 30\ 000$. Thu is an absurd weight for a bus; ie. This is not a realis







SECTION II NEWTONIAN MECHANICS

Cha	Chapter 2: Kinematics - Rectilinear Motion - Non-linear Motion				
а.	Define displace	ment, speed, velocity and acceleration.			
	Distance:	Total length covered irrespective of the direction of motion.			
	Displacement:	Distance moved in a certain direction			
	Speed:	Distance travelled per unit time.			
	Velocity:	is defined as the rate of change of displacement, or, displacement per unit time { NOT : displacement <u>over</u> time, nor, displacement <u>per second</u> , nor, rate of change of displacement per unit time}			
	Acceleration:	is defined as the rate of change of velocity.			
b.	Use graphical acceleration.	methods to represent distance travelled, displacement, speed, velocity and			
	Self-explanatory				
c.	Find displaceme	ent from the area under a velocity-time graph.			
	The area under a	a velocity-time graph is the <u>change</u> in displacement.			
d.	Use the slope o	f a displacement-time graph to find velocity.			
	The gradient of a	displacement-time graph is the {instantaneous} velocity.			
e.	Use the slope o	f a velocity-time graph to find acceleration.			
	The gradient of a	velocity-time graph is the acceleration.			
f. g.	accelerated mot Solve problems	the definitions of velocity and acceleration, equations that represent uniformly tion in a straight line. Is using equations which represent uniformly accelerated motion in a straight line, otion of bodies falling in a uniform gravitational field without acceleration.			
	1. $v = u + a$ 2. $s = \frac{1}{2} (u$ 3. $v^2 = u^2$ 4. $s = ut$	u + v) t : derived from the area under the v-t graph			
		apply only if the motion takes place <u>along a straight line</u> and the <u>acceleration is constan</u> ir resistance must be negligible.}			
h.	Describe qualita	atively the motion of bodies falling in a uniform gravitational field with air resistance.			
	Consider a body	moving in a uniform gravitational field under 2 different conditions:			
	<u>A WITHO</u>	UT AIR RESISTANCE			
		⁽²⁾ Highest point ⁽²⁾ Highest point ⁽²⁾ Moving up ⁽³⁾ Moving down ⁽³⁾ W			
	the weight of the	<i>ible air resistance</i> , whether the body is moving up, or at the highest point or moving down, body, W, is the <u>only force</u> acting on it, causing it to experience a <u>constant acceleration</u> . <u>nt</u> of the v-t graph is <u>constant throughout</u> its rise and fall. The body is said to undergo <i>free</i>			

B WITH AIR R	ESISTANCE	
If air resistance is NO	Terminal velocity ① Mo ③ <u>OT negligible</u> and if it is projected upward	ving up Wing up
than in the case with At the highest point, t acting on it is the weig	n no air resistance. The <u>max height rea</u> the body is momentarily at rest; <u>air resista</u> ght. The acceleration is thus 9.81 m s⁻² at	ance becomes zero and hence the only for
From then there will b terminal velocity. Describe and explai perpendicular direct	n motion due to a uniform velocity in o	nd it will fall with a <u>constant speed</u> , called the ne direction and uniform acceleration in
From then there will b terminal velocity. Describe and explai perpendicular direct	be no resultant force acting on the body an n motion due to a uniform velocity in o tion.	nd it will fall with a <u>constant speed</u> , called the ne direction and uniform acceleration in
From then there will b terminal velocity. Describe and explai perpendicular direct	be no resultant force acting on the body an n motion due to a uniform velocity in o tion. Ised to describe the horizontal and vert	nd it will fall with a <u>constant speed</u> , called the ne direction and uniform acceleration in
From then there will b terminal velocity. Describe and explai perpendicular direct Equations that are u	the no resultant force acting on the body and n motion due to a uniform velocity in o tion. Used to describe the horizontal and vert x direction (horizontal – axis) $s_x = u_x t$	ne direction and uniform acceleration in ical motion y direction (vertical – axis) $s_y = u_y t + \frac{1}{2} a_y t^2$
From then there will b terminal velocity. Describe and explai perpendicular direct Equations that are u s (displacement)	be no resultant force acting on the body and n motion due to a uniform velocity in option. Unsed to describe the horizontal and verted x direction (horizontal – axis) $s_x = u_x t$ $s_x = u_x t$ $s_x = u_x t + \frac{1}{2}a_x t^2$	ne direction and uniform acceleration in ical motion y direction (vertical – axis) $s_y = u_y t + \frac{1}{2} a_y t^2$ (Note: If projectile ends at same level as the start, then $s_y = 0$)
From then there will b terminal velocity. Describe and explai perpendicular direct Equations that are u s (displacement) u (initial velocity)	the no resultant force acting on the body and n motion due to a uniform velocity in o tion.	ne direction and uniform acceleration in ical motion y direction (vertical – axis) $s_y = u_y t + \frac{1}{2} a_y t^2$ (Note: If projectile ends at same level as the start, then $s_y = 0$) u_y $v_y = u_y + at$
From then there will b terminal velocity. Describe and explai perpendicular direct Equations that are u s (displacement) u (initial velocity) v (final velocity)	the no resultant force acting on the body and n motion due to a uniform velocity in o tion. Insect to describe the horizontal and verted x direction (horizontal – axis) $s_x = u_x t$ $s_x = u_x t$ $s_x = u_x t + \frac{1}{2}a_x t^2$ u_x $v_x = u_x + a_x t$ (Note: At max height, $v_x = 0$) a_x	y direction (vertical – axis) $s_{y} = u_{y}t + \frac{1}{2}a_{y}t^{2}$ (Note: If projectile ends at same level as the start, then $s_{y} = 0$) u_{y} $v_{y} = u_{y} + at$ $v_{y}^{2} = u_{y}^{2} + 2as_{y}$ a_{y}

Cha	pter 3: Dynamics
	- Newton's laws of motion
-	- Linear momentum and its conservation State each of Newton's laws of motion.
a.	Newton's First Law Every body continues in a state of rest or uniform motion in a straight line unless a net (external) force acts
	on it.
	The rate of change of momentum of a body is directly proportional to the net force acting on the body, and the momentum change takes place in the direction of the net force.
	<u>Newton's Third Law</u> When object X exerts a force on object Y, object Y exerts a force of the same type that is equal in magnitude and opposite in direction on object X.
	The two forces ALWAYS act on different objects and they form an action-reaction pair.
b.	Show an understanding that mass is the property of a body which resists change in motion.
	Mass: is a measure of the amount of matter in a body, & is the <u>property of a body which resists change in</u> <u>motion</u> .
c.	Describe and use the concept of weight as the effect of a gravitational field on a mass.
	Weight: is the force of gravitational attraction (exerted by the Earth) on a body.
d.	Define linear momentum and impulse.
	Linear momentum of a body is defined as the product of its mass and velocity ie $\mathbf{p} = \mathbf{m} \mathbf{v}$
	Impulse of a force <i>I</i> is defined as the product of the force and the time Δt during which it acts
	ie I = F x Δt {for force which is <u>const</u> over the duration Δt }
	For a variable force, the impulse = Area under the F-t graph { JFdt; may need to "count squares"}
	Impulse is <u>equal in magnitude</u> to the change in momentum of the body acted on by the force. Hence the change in momentum of the body is equal in mag to the area under a (net) force-time graph. { <u>Incorrect</u> to <u>define</u> impulse as <i>change in momentum</i> }
е.	Define force as rate of change of momentum.
	Force is defined as the rate of change of momentum, ie $F = \frac{m(v - u)}{t} = ma$ or $F = v \frac{dm}{dt}$
	The {one} Newton is defined as the force needed to accelerate a mass of 1 kg by 1 m s ⁻² .
f.	Recall and solve problems using the relationship $F = ma$ appreciating that force and acceleration are always in the same direction.
	Self-explanatory
g.	State the principle of conservation of momentum.
	Principle of Conservation of Linear Momentum: When objects of a system interact, their total momentum before and after interaction are equal if no net (external) force acts on the system.
	or, The total momentum of an <u>isolated</u> system is constant ie $m_1 u_1 + m_2 u_2 = m_1 v_1 + m_2 v_2$ if net F = 0 {for all collisions }
	NB: Total momentum DURING the interaction/collision is also conserved.
h.	Apply the principle of conservation of momentum to solve problems including elastic and inelastic

	interactions between two bodie required.)	es in one dimension. (Knowledge of coefficient of restitution is not
	(Perfectly) elastic collision:	Both momentum & kinetic energy of the system are conserved.
	Inelastic collision:	Only momentum is conserved, total kinetic energy is not conserved.
	Perfectly inelastic collision:	Only momentum is conserved, and the particles stick together after collision. (i.e. move with the same velocity.)
i.	Recognise that, for a perfectly or is equal to the relative speech or a speech	elastic collision between two bodies, the relative speed of approach f separation.
	For all <i>elastic</i> collisions, u 1 – u2	$= v_2 - v_1$
	ie. relative speed of approach =	relative speed of separation
	or, $\frac{1}{2} m_1 u_1^2 + \frac{1}{2} m_2 u_2^2 = \frac{1}{2}$	$m_1 v_1^2 + \frac{1}{2} m_2 v_2^2$
j.	Show an understanding that, whilst the momentum of a system is always conserved in interactions between bodies, some change in kinetic energy usually takes place.	
	In inelastic collisions, total energy energy such as sound and heat er	y is conserved but Kinetic Energy may be converted into other forms of nergy.

Cha	pter 4: Forces
	 Types of force Equilibrium of force
	- Centre of gravity
	- Turning effects of forces
а.	Recall and apply Hooke's Law to new situations or to solve related problems.
	Within the limit of proportionality, the extension produced in a material is directly proportional to the force/load applied
	ie F = kx
	Force constant k = force per unit extension (F/x) {N08P3Q6b(ii)}
b.	Deduce the elastic potential energy in a deformed material from the area under a force-extension graph.
	Elastic potential energy/strain energy = Area under the F-x graph {May need to "count the squares"}
	For a material that obeys Hooke's law,
	Elastic Potential Energy, E = $\frac{1}{2}$ F x = $\frac{1}{2}$ k x ²
с.	Describe the forces on mass, charge and current in gravitational, electric and magnetic fields, as appropriate.
	Forces on Masses in Gravitational Fields - A region of space in which a <u>mass</u> experiences an (attractive) force due to the presence of <u>another mass</u> .
	Forces on Charge in Electric Fields - A region of space where a <u>charge</u> experiences an (attractive or repulsive) force due to the presence of <u>another charge</u> .
	Forces on Current in Magnetic Fields - Refer to Chapter 15
d.	Solve problems using p = ρgh.
	Hydroctatic Proceure n - og b
	Hydrostatic Pressure p = ρg h
	{or, pressure difference between 2 points separated by a vertical distance of h }
е. 4	Show an understanding of the origin of the upthrust acting on a body in a fluid.
١.	State that an upthrust is provided by the fluid displaced by a submerged or floating object.
	Upthrust: An upward force exerted by a fluid on a submerged or floating object; arises because of the <u>difference in pressure</u> between the upper and lower surfaces of the object.
g.	Calculate the upthrust in terms of the weight of the displaced fluid.
h.	Recall and apply the principle that, for an object floating in equilibrium, the upthrust is equal to the weight of the new object to new situations or to solve related problems.
	Archimedes' Principle: Upthrust = weight of the fluid displaced by submerged object.
	ie Upthrust = Vol _{submerged} × ρ _{fluid} × g
i.	Show a qualitative understanding of frictional forces and viscous forces including air resistance. (No treatment of the coefficients of friction and viscosity is required.)
	Frictional Forces:
	• The contact force between two surfaces = $(friction^2 + normal reactionn^2)^{1/2}$
	The component along the surface of the contact force is called friction . Friction between 2 surfaces shows appears relative motion (or attempted motion), and
	 Friction between 2 surfaces always opposes relative motion {or attempted motion}, and Its value varies up to a maximum value {called the static friction}
	Viscous Forces:

		oses the motion of an object <u>in a fluid;</u>
		there is (relative) motion.
	 Magnitude of vis 	cous force increases with the speed of the object
j.	Use a vector triangle to	represent forces in equilibrium.
	See Chapter 1j, 1k	· · ·
k.	Show an understanding its centre of gravity.	that the weight of a body may be taken as acting at a single point known as
	Centre of Gravity of an considered to act.	object is defined as that pt through which the entire weight of the object may be
١.	Show an understanding	that a couple is a pair of forces which tends to produce rotation only.
	A couple is a pair of force	es which tends to produce rotation only.
m.	Define and apply the mo	oment of a force and the torque of a couple.
	Moment of a Force:	The product of the force and the perpendicular distance of its line of action to the pivot
	Torque of a Couple:	The produce of one of the forces of the couple and the perpendicular distance between the lines of action of the forces. (WARNING: NOT an action-reaction pair as they act on the same body.)
n.	Show an understanding equilibrium.	that, when there is no resultant force and no resultant torque, a system is in
	1. The resultant for	um (of an extended object): ce acting on it in any direction equals zero ment about any point is zero.
	 The lines of action When a vector of 	y <u>3 forces</u> only and remains in <u>equilibrium</u> , then on of the 3 forces must pass through a <u>common point</u> . liagram of the three forces is drawn, the forces will form a closed triangle (vector e 3 vectors pointing in the <u>same orientation</u> around the triangle.
о.	Apply the principle of m	oments to new situations or to solve related problems.
	Principle of Moments:	For a body to be in equilibrium, the sum of all the anticlockwise moments <i>about any point</i> must be equal to the sum of all the clockwise moments about that same point.

Cha	pter 5: Work, Energy and Power - Work
	- Energy conversion and conservation
	 Potential energy and kinetic energy Power
a.	Show an understanding of the concept of work in terms of the product of a force and displacement
b.	in the direction of the force. Calculate the work done in a number of situations including the work done by a gas which is
	expanding against a constant external pressure: $W = p\Delta V$.
	Work Done by a force is defined as the product of the force and displacement (of its point of application) in the direction of the force
	ie W = Fscosθ
	Negative work is said to be done by F if x or its compo. is anti-parallel to F
	If a <u>variable</u> force F produces a displacement in the direction of F, the work done is determined from the <u>area</u> <u>under F-x graph</u> . {May need to find area by "counting the squares". }
C.	Give examples of energy in different forms, its conversion and conservation, and apply the principle of energy conservation to simple examples.
	By Principle of Conservation of Energy,
	Work Done on a system =
	KE gain + GPE gain + Thermal Energy generated {ie Work done against friction}
d.	Derive, from the equations of motion, the formula $E_k = \frac{1}{2}mv^2$.
	Consider a rigid object of mass m that is initially at rest. To accelerate it uniformly to a speed v, a constant net force F is exerted on it, parallel to its motion over a displacement s.
	Since F is constant, acceleration is constant,
	Therefore, using the equation: $v^2 = u^2 + 2 a s$,
	Therefore, using the equation: $v^2 = u^2 + 2 a s$, $a s = \frac{1}{2} (v^2 - u^2)$
	Since kinetic energy is equal to the work done on the mass to bring it from rest to a speed v,
	The kinetic energy, E_{K} = Work done by the force F
	= F s = mas
	$= \frac{1}{2} m (v^2 - u^2)$
e.	Recall and apply the formula $E_k = \frac{1}{2}mv^2$.
	Self-explanatory
f.	Distinguish between gravitational potential energy, electric potential energy and elastic potential energy.
	Gravitational potential energy : this arises in a system of <i>masses</i> where there are attractive gravitational forces between them. The gravitational potential energy of an object is the energy it possesses by virtue of its position in a gravitational field.
	Elastic potential energy : this arises in a system of atoms where there are either attractive or repulsive short-range inter-atomic forces between them. (From Topic 4, E. P. E. = $\frac{1}{2}$ k x ² .)
	Electric potential energy: this arises in a system of charges where there are either attractive or repulsive

	electric forces between them.		
g.	Show an understanding of and use the relationship between force and potential energy in a uniform field to solve problems.		
	The potential energy, U, of a body in a force field {whether gravitational or electric field} is related to the force F it		
	experiences by: $\mathbf{F} = -\frac{\mathbf{d}U}{\mathbf{d}x}$.		
h.	Derive, from the defining equation $W = Fs$ the formula $E_p = mgh$ for potential energy changes near the Earth's surface.		
	Consider an object of mass m being lifted vertically by a force F, without acceleration, from a certain height h_1 to a height h_2 . Since the object moves up at a constant speed, F is equal to m g. The change in potential energy of the mass = Work done by the force F = F s = F h = m g h		
i.	Recall and use the formula E_p = mgh for potential energy changes near the Earth's surface.		
	Self-explanatory		
j.	Show an appreciation for the implications of energy losses in practical devices and use the concept of efficiency to solve problems.		
	Efficiency: The ratio of (useful) output energy of a machine to the input energy.		
	ie = Useful Output Energy × 100 % = Useful Output Power × 100 %		
k.	Define power as work done per unit time and derive power as the product of force and velocity.		
	Power {instantaneous} is defined as the work done per unit time.		
	$P = \frac{\text{Total Work Done}}{\text{Total Time}}$ $= \frac{W}{t}$		
	Since work done W = F x s, P = $\frac{F x s}{t}$ = F v		
	 for object moving at <u>const speed</u>: F = Total resistive force {equilibrium condition} for object beginning to <u>accelerate</u>: F = Total resistive force <u>+ ma {N07P1Q10,N88P1Q5}</u> 		

Cha	Chapter 6: Motion in a Circle			
	- Kinematics of uniform circular motion			
	 Centripetal acceleration Centripetal force 			
a.	Express angular displacement in radians.			
	Radian (rad) is the S.I. unit for angle, θ and it can be related to degrees in the following way. In one complete revolution, an object rotates through 360°, or 2π rad.			
	As the object moves through an angle θ , with respect to the centre of rotation, this angle θ is known as the angular displacement .			
b.	Understand and use the concept of angular velocity.			
	Angular velocity (ω) of the object is the rate of change of angular displacement with respect to time.			
	$\omega = \frac{\theta}{t} = \frac{2\pi}{T}$ (for one complete revolution)			
c.	Recall and use v = r ₀ .			
	Linear velocity, v, of an object is its instantaneous velocity at any point in its circular path.			
	$v = \frac{\text{arc length}}{\text{time taken}} = \frac{r\theta}{t} = r\omega$			
	Note : (i) The direction of the linear velocity is at a <i>tangent</i> to the circle described at that point. Hence it is sometimes referred to as the <i>tangential velocity</i> .			
	(ii) ω is the same for every point in the rotating object, but the linear velocity <i>v</i> is greater for points further from the axis.			
d.	Describe qualitatively motion in a curved path due to a perpendicular force, and understand the centripetal acceleration in the case of a uniform motion in a circle.			
	A body moving in a circle at a <u>constant speed</u> changes velocity {since its direction changes}. Thus, it <i>always</i> experiences an acceleration, a force and a change in momentum.			
e.	Recall and use centripetal acceleration $a = r\omega^2$, $a = \frac{v^2}{r}$.			
	Centripetal acceleration, $\mathbf{a} = \mathbf{r} \omega^2$ $= \frac{\mathbf{v}^2}{\mathbf{r}}$ {in magnitude}			
f.	Recall and use centripetal force $F = mr\omega^2$, $F = \frac{mv^2}{r}$.			
	Centripetal force is the resultant of all the forces that act on a system in circular motion.			
	{It is not a particular force; "centripetal" means "centre-seeking". Also, when asked to draw a diagram showing all the forces that act on a system in circular motion, it is wrong to include a force that is labelled as "centripetal force". }			
	Centripetal force, F = m r $\omega^2 = \frac{mv^2}{r}$ {in magnitude}			
	A person in a satellite orbiting the Earth experiences " weightlessness " although the gravi field strength at the height is not zero because the person and the satellite would both have the <u>same acceleration</u> ; hence the contact force between man & satellite/ <u>normal reaction on the person is zero {</u> Not because the field strength is negligible.}			

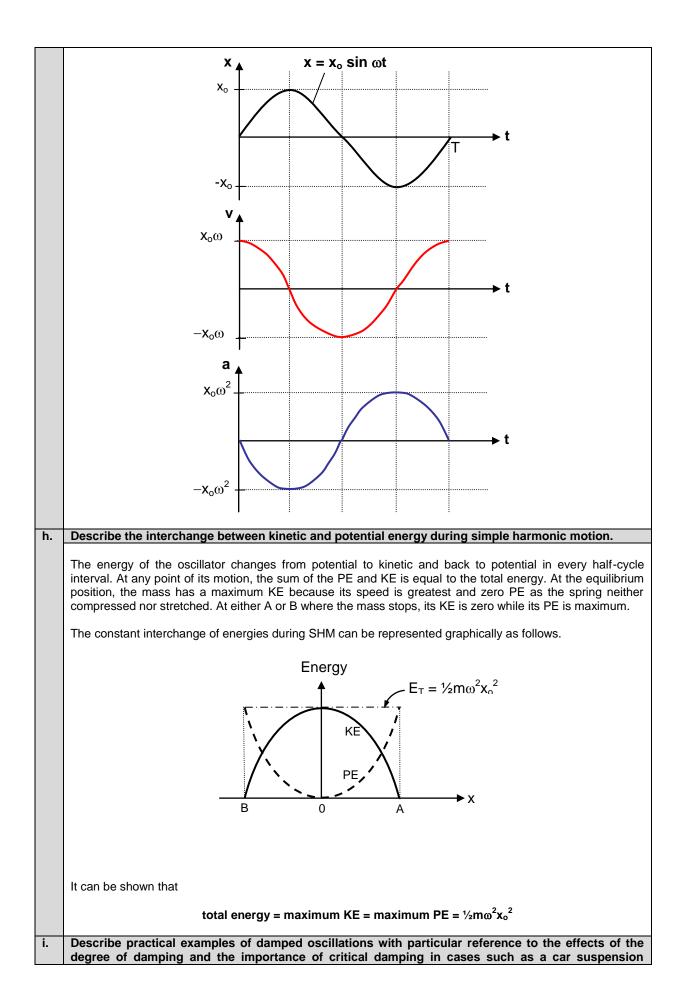
Cha	pter 7: Gravitation	
one	- Gravitational Field	
	- Force between point masses	
	 Field of a point mass Field near to the surface of the Earth 	
	- Gravitational Potential	
a. Show an understanding of the concept of a gravitational field as an example of field of for define gravitational field strength as force per unit mass.		
	Gravitational field strength at a point is defined as the gravitational force per unit mass at that point.	
b.	Recall and use Newton's law of gravitation in the form $F = \frac{GMm}{r^2}$	
	Newton's law of gravitation : The (mutual) gravitational force F between two point masses M and m separated by a distance r is given by	
	$\mathbf{F} = \frac{\mathbf{GMm}}{\mathbf{r}^2}$ where G: Universal gravitational constant	
	or, the gravitational force of between two point masses is proportional to the product of their masses & inversely proportional to the square of their separation.	
с.	Derive, from Newton's law of gravitation and the definition of gravitational field strength, the equation $g = \frac{GM}{r^2}$ for the gravitational field strength of a point mass.	
	Gravitational field strength at a <i>point</i> is the gravitational force per unit mass at that point. It is a vector and its S.I. unit is N kg ⁻¹ .	
	By definition, $g = \frac{F}{m}$	
	By Newton Law of Gravitation, $F = \frac{GMm}{r^2}$	
	Combining, magnitude of $g = \frac{GM}{r^2}$	
	Therefore $\mathbf{g} = \frac{\mathbf{G}\mathbf{M}}{\mathbf{r}^2}$, M = Mass of object "creating" the field	
d.	GM	
	Recall and apply the equation $g = \frac{GM}{r^2}$ for the gravitational field strength of a point mass to new situations or to solve related problems.	
	Example 7D1 Assuming that the Earth is a uniform sphere of radius 6.4 x 10^6 m and mass 6.0 x 10^{24} kg, find the gravitational field strength g at a point	
	(a) <u>on the surface,</u>	
	$g = \frac{GM}{r^2} = (6.67 \times 10^{-11})(6.0 \times 10^{24})/(6.4 \times 10^6)^2$ = 9.77 m s ⁻²	
	(b) at height 0.50 times the radius of above the Earth's surface.	
	$g = \frac{GM}{r^2} = (6.67 \times 10^{-11})(6.0 \times 10^{24}) / (1.5 \times 6.4 \times 10^6)^2$ $= 4.34 \text{ m s}^{-2}$	
	Example 7D2	
	The acceleration due to gravity at the Earth's surface is 9.80 m s ⁻² . Calculate the acceleration due to gravity on a planet which has the same density but twice the radius of Earth.	

	$g = \frac{GM}{r^2}$
	$\frac{g_{P}}{g_{E}} = \frac{M_{P}r_{E}^{2}}{M_{E}r_{P}^{2}}$
	0 ·
	$-\frac{\frac{3}{4}\pi r_{P}^{3}r_{E}^{2}\rho_{P}}{2}$
	$=\frac{\frac{4}{3}\pi r_{P}^{3} r_{E}^{2} \rho_{P}}{\frac{4}{3}\pi r_{E}^{3} r_{P}^{2} \rho_{E}}$
	$=\frac{r_{\rm P}}{r_{\rm E}}$ $= 2$
	Hence $g_P = 2 \times 9.81 = 19.6 \text{ m s}^{-2}$.
e.	Show an appreciation that on the surface of the Earth g is approximately constant and is called the
	acceleration of free fall.
	Assuming that Earth is a uniform sphere of mass M. The magnitude of the gravitational force from Earth on a particle of mass m, located outside Earth a distance r from the centre of the Earth is
	$F = \frac{GMm}{r^2}$. When a particle is released, it will fall towards the centre of the Earth, as a result of the
	gravitational force with an acceleration ag.
	i.e. , $F_G = ma_g$
	$a_g = \frac{GM}{r^2}$
	$a_g = r^2$ Hence $a_g = g$
	Thus gravitational field strength g is also numerically equal to the acceleration of free fall.
	Example 7E1 A ship is at rest on the Earth's equator. Assuming the earth to be a perfect sphere of radius R and the acceleration due to gravity at the poles is g_0 , express its apparent weight, N, of a body of mass m in terms of m, g_0 , R and T (the period of the earth's rotation about its axis, which is one day).
	Ans:
	At the North Pole, the gravitational attraction is
	$F = \frac{GM_{E}m}{R^{2}} = mg_{o}$
	At the equator,
	Normal Reaction Force on ship by Earth = Gravitational attraction – centripetal force
	$N = mg_o - mR\omega^2$
	$= mg_o - mR \left(\frac{2\pi}{T}\right)^2$
f.	Define potential at a point as the work done in bringing unit mass from infinity to the point.
	Gravitational potential at a point is defined as the work done (by an external agent) in bringing a <u>unit</u> mass from infinity to that point (without changing its kinetic energy).
g.	Solve problems by using the equation $\phi = -\frac{GM}{r}$ for the potential in the field of a point mass.
	$\phi = \frac{W}{m} = -\frac{GM}{r}$
	 Why gravitational potential values are always negative? As the gravitational force on the mass is attractive, the work done by an ext agent in bringing unit mass from infinity to any point in the field will be negative work{as the force exerted by the ext agent is opposite in direction to the displacement to ensure that ΔKE = 0}
	- Hence by the definition of <i>negative work</i> , all values of ϕ are negative.

	Re	lation between g and ϕ :	$g = -\frac{d\phi}{dr} = -$ gradient of ϕ -r graph	{Analogy: E =-dV/dx}	
	Gravitational potential energy <i>U</i> of a mass <i>m</i> at a point in the gravitational field of another mass <i>M</i> , is the work done in bringing that mass <i>m</i> {NOT: <i>unit mass,</i> or <i>a mass</i> } from infinity to that point. $\rightarrow U = m\phi = -\frac{GMm}{r}$				
	Chang		ly if <i>g is constant</i> over the distance use: Δ U = m φ _f – m φ _i	$h; \{\Rightarrow h << radius of planet\}$	
h.		nise the analogy between c fields.	certain qualitative and quantita	ative aspects of gravitational and	
		Aspects	Electric Field	Gravitational Field	
	1.	Quantity interacting with or producing the field	Charge Q	Mass M	
	2.	Definition of Field Strength	Force per unit positive charge $E = \frac{F}{q}$	Force per unit mass $g = \frac{F}{M}$	
	3.	Force between two <u>Point</u> Charges or Masses	Coulomb's Law: $F_{e} = \frac{Q_{1}Q_{2}}{4\pi\epsilon_{o}r^{2}}$ $E = \frac{Q}{4\pi\epsilon_{o}r^{2}}$	Newton's Law of Gravitation: $F_g = G \frac{GMm}{r^2}$	
	4.	Field Strength of isolated Point Charge or Mass	$E = \frac{Q}{4\pi\epsilon_0 r^2}$	$g = G \frac{GM}{r^2}$	
	5.	Definition of Potential	Work done in bringing a unit positive charge from infinity to the point. $V = \frac{W}{\Omega}$	Work done in bringing a unit mass from infinity to the point. $\phi = \frac{W}{M}$	
	6.	Potential of isolated Point Charge or Mass	$V = \frac{W}{Q}$ $V = \frac{Q}{4\pi\epsilon_{o}r}$	$\phi = -G \frac{M}{r}$	
	7.	Change in Potential Energy	$\Delta U = q \Delta V$	$\Delta U = m \ \Delta \phi$	
i.	Analys		e square law fields by relatir	ng the gravitational force to the	
-	centri	petal acceleration it causes.			
	Total I	Energy of a Satellite = GPE +	$KE = (-\frac{GMm}{r}) + (\frac{1GMm}{2r})$		
	<u>Escap</u>	e Speed of a Satellite			
	Ву Со	nservation of Energy,			
	Initial KE+ Initial GPE = Final KE + Final GPE $\frac{1}{2}mv_{E}^{2}$ + ($\frac{GMm}{r}$) = 0 + 0				
	Thus e	escape speed, $v_E = \sqrt{\frac{2GM}{R}}$			
	Note :	Escape speed of an object is i	ndependent of its mass		
		atellite in circular orbit, " always state what force is p	<u>the centripetal force is provided</u> roviding the centripetal force be	<u>I by the gravitational force</u> . " fore following eqn is used!}	
		Hence $\frac{GMm}{r^2} = \frac{mv^2}{r} = mr$	$\omega^2 = mr \left(\frac{2\pi}{T}\right)^2$		
	A satellite does not move in the direction of the gravitational force {ie it stays in its circular orbit} because: the gravitational force exerted by the Earth on the satellite is just sufficient to cause the centripetal acceleration but not enough to also pull it down towards the Earth.				

	{This explains also why the Moon does not fall towards the Earth}
j.	Show an understanding of geostationary orbits and their application.
	Geostationary satellite is one which is <u>always above a certain point on the Earth</u> (as the Earth rotates about its axis.)
	For a geostationary orbit: $T = 24$ hrs, orbital radius (& height) are fixed values from the centre of the Earth, and velocity w is also a fixed value; rotates fr west to east. However, the <u>mass</u> of the satellite is <u>NOT a</u> <u>particular value</u> & hence the ke, gpe, & the centripetal force are also not fixed values {ie their values depend on the mass of the geostationary satellite.}
	A geostationary orbit must lie in the <u>equatorial plane</u> of the earth because it <u>must</u> accelerate in a plane where the <i>centre</i> of Earth lies since the <u>net force</u> exerted on the satellite is the <u>Earth's gravitational force</u> , which is <u>directed towards the <i>centre</i> of Earth</u> .
	{Alternatively, may explain by showing why it's impossible for a satellite in a non-equatorial plane to be geostationary.}

Cha	Chapter 8: Oscillations			
	 Simple harmonic motion Energy in simple harmonic motion 			
	- Damped and forced oscillations: resonance			
a.	Describe simple examples of free oscillations.			
	Self-explanatory			
b.	Investigate the motion of	of an oscillator using ovporim	ental and graphical methods.	
D.	investigate the motion of	of all oscillator using experim	ental and graphical methods.	
	Self-explanatory			
C.			d, frequency, angular frequency and phase equency and angular frequency.	
	Period	is defined as the time taken fo	or one complete oscillation.	
	Frequency	is defined as the number of or	scillations per unit time,	
		$f = \frac{1}{T}$		
	Angular frequency ω:	is defined by the eqn, $\omega =$ displacement (measured in	2 π f. It is thus the rate of change of angular radians per sec)	
	Amplitude	The maximum displacement f	rom the equilibrium position.	
	Phase difference φ:		e wave is <u>out of step</u> with another wave, or how f phase with another wave particle.	
	$\phi = \frac{2\pi x}{\lambda} = \frac{t}{T} \times 2\pi \{x = \text{separation in the direction of wave motion between the 2 particles}\}$			
d.	Recognise and use the	equation $a = -\omega^2 x$ as the defined	ning equation of simple harmonic motion.	
	Simple harmonic motion	n : An oscillatory motion in which	n the acceleration {or <u>restoring force</u> } is	
	 always proportio opposite in direct 		certain fixed point/ equilibrium position	
	opposite in direc	alon to the displacement <u>inom c</u>	Certain fixed point equilibrium position	
	ie $a = -\omega^2 x$	(Defining equation of S.H.M)		
e.	Recall and use x = x _o si	n (ω t) as a solution to the equ	uation $a = -\omega^2 x$.	
f.	Recognise and use v = v _o cos (ω t) and v = ± $\omega \sqrt{x_o^2 - x^2}$			
	"Time Equations"		"Displacement Equations"	
	$x = x_0 \sin \omega t$	or $x = x_0 \cos(\omega t)$, etc	Displacement Equations	
	{depending on the			
	$v = \frac{dx}{dt} = \omega x_0 \cos \omega t$	t {assuming x= x₀sinωt}	$v = \pm \omega \sqrt{x_0^2 - x^2}$ (In Formula List)	
			(v - x graph is an ellipse) $a = -\omega^2 x$	
	$a = -\omega^2 x = -\omega^2 (x_0 s)$ KE = $\frac{1}{2}$ mv ² = $\frac{1}{2}$ m	$h(\omega x_{\alpha} \cos \omega t)^2$	$A = -\omega x$ $KE = \frac{1}{2} mv^2 = \frac{1}{2} m\omega^2 (x_0^2 - x^2)$	
		(·····)	(KE - x graph is a parabola) (KE - x graph is a parabola)	
g.	Describe with graphical simple harmonic motion		displacement, velocity and acceleration during	



	system.		
	Damping	refers to the loss of energy from an oscillating system to the environment due to dissipative forces {eg, friction, viscous forces, eddy currents}	
	Light Damping:	The system <u>oscillates</u> about the equilibrium position with <u>decreasing amplitude</u> over a period of time.	
	Critical Damping:	The system does <u>not</u> oscillate & damping is just adequate such that the system returns to its equilibrium position in the <u>shortest</u> possible time.	
	Heavy Damping:	The damping is so great that the displaced object <u>never oscillates</u> but returns to its equilibrium position <u>very very slowly</u> .	
j.	Describe practical exa	mples of forced oscillations and resonance.	
	Free Oscillation:	An oscillating system is said to be undergoing <i>free oscillations</i> if its oscillatory motion is <u>not</u> subjected to an external periodic driving force. The system oscillates at its natural freq.	
	Forced Oscillation:	In contrast to free oscillations, an oscillating system is said to undergo <i>forced oscillations</i> if it is subjected to an <u>input of energy from an external periodic</u> <u>driving force</u> The freq of the forced {or driven} oscillations will be <u>at the freq of the <i>driving force</i></u> {called the driving frequency} ie. no longer at its own natural frequency.	
	Resonance:	A phenomenon whereby the <u>amplitude</u> of a system undergoing <u>forced</u> <u>oscillations</u> increases to a <u>maximum</u> . It occurs when <u>the frequency of the periodic driving force</u> is equal to the natural frequency of the system.	
	Effects of Damping on	Freq Response of a system undergoing forced oscillations	
	1) Resonant freq	uency decreases	
		resonant peak decreases	
		prced oscillation decreases	
k.	natural frequency of	ow the amplitude of a forced oscillation changes with frequency near to the the system, and understand qualitatively the factors which determine the ad sharpness of the resonance.	
	Amplitude of forced	No damping Light damping Heavy damping f ₀	
I.		that there are some circumstances in which resonance is useful and other h resonance should be avoided.	

Examples of Useful Purposes of Resonance

- (a) Oscillation of a child's swing.
- (b) Tuning of musical instruments.
- (c) Tuning of radio receiver Natural frequency of the radio is adjusted so that it responds resonantly to a specific broadcast frequency.
- (d) Using microwave to cook food Microwave ovens produce microwaves of a frequency which is equal to the natural frequency of water molecules, thus causing the water molecules in the food to vibrate more violently. This generates heat to cook the food but the glass and paper containers do not heat up as much.
- (e) Magnetic Resonance Imaging (MRI) is used in hospitals to create images of the human organs.
- (f) Seismography the science of detecting small movements in the Earth's crust in order to locate centres of earthquakes.

Examples of Destructive Nature of Resonance

- (a) An example of a disaster that was caused by resonance occurred in the United States in 1940. The Tarcoma Narrows Bridge in Washington was suspended by huge cables across a valley. Shortly after its completion, it was observed to be unstable. On a windy day four months after its official opening, the bridge began vibrating at its resonant frequency. The vibrations were so great that the bridge collapsed.
- (b) High-pitched sound waves can shatter fragile objects, an example being the shattering of a wine glass when a soprano hits a high note.
- (c) Buildings that vibrate at natural frequencies close to the frequency of seismic waves face the possibility of collapse during earthquakes.

SECTION III THERMAL PHYSICS

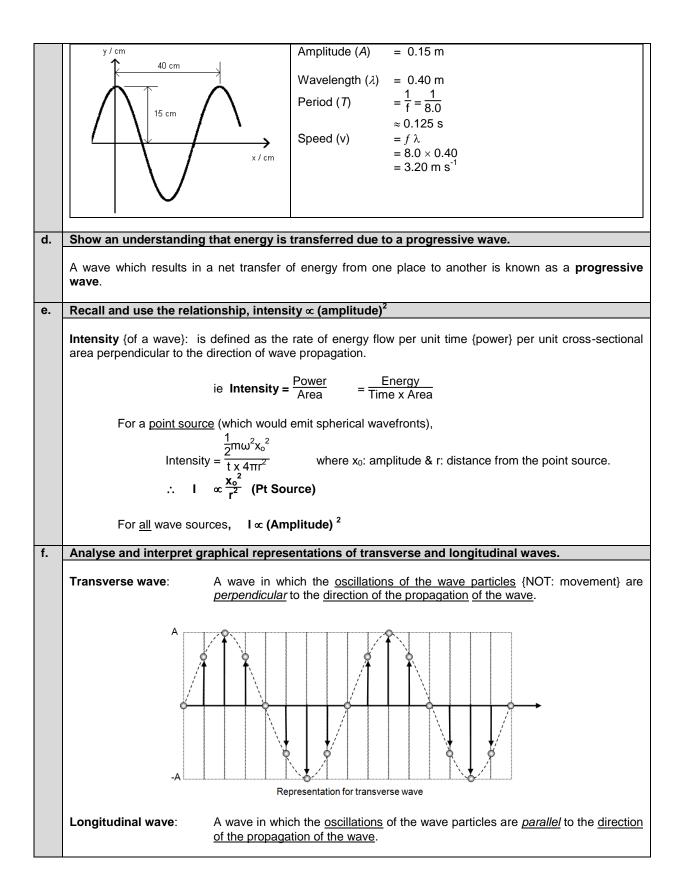
Cha	pter 9: Thermal Physics
	 Internal energy Temperature scales
	- Specific heat capacity
	- Specific latent heat
	- First law of thermodynamics
	- The ideal gas equation
	- Kinetic energy of a molecule
a.	Show an understanding that internal energy is determined by the state of the system and that it can be expressed as the sum of a random distribution of kinetic and potential energies associated with the molecules of a system.
	Internal Energy: is the sum of the kinetic energy of the molecules <u>due to its random motion</u> & the pe of the molecules due to the intermolecular forces.
	"Internal energy is determined by the state of the system". Explain what this means. Internal energy is determined by the values of the current state and is independent of how the state is arrived at. Thus if a system undergoes a series of changes from one state A to another state B, its change in internal energy is the same, regardless of which path {the changes in the p & V} it has taken to get from A to B.
b.	Relate a rise in temperature of a body to an increase in its internal energy.
	Since Kinetic Energy proportional to temp, and internal energy of the system = sum of its Kinetic Energy and Potential Energy, a rise in temperature will cause a rise in Kinetic Energy and thus an increase in internal energy.
с.	Show an understanding that regions of equal temperature are in thermal equilibrium.
	If two bodies are in thermal equilibrium , there is <u>no <i>net</i> flow of heat energy between them</u> and they have the <u>same temperature</u> . {NB: this <u>does not imply they must have the same <i>internal energy</i> as internal energy depends also on the <u>number of molecules</u> in the 2 bodies, which is <u>unknown</u> here}</u>
d. e.	Show an understanding that there is an absolute scale of temperature which does not depend on the property of any particular substance, i.e. the thermodynamic scale. Apply the concept that, on the thermodynamic (Kelvin) scale, absolute zero is the temperature at
0.	which all substances have a minimum internal energy.
	Thermodynamic (Kelvin) scale of temperature: theoretical scale that is <i>independent</i> of the properties of any particular substance.
	An absolute scale of temp is a temp scale which does not depend on the property of any particular substance (ie the thermodynamic scale)
	Absolute zero: Temperature at which <u>all</u> substances have a <u>minimum</u> internal energy {NOT: zero internal energy.}
f.	Convert temperatures measured in Kelvin to degrees Celsius: T / K = T / °C + 273.15.
	$T/K = T/^{0}C + 273.15$, by definition of the Celsius scale.
g.	Define and use the concept of specific heat capacity, and identify the main principles of its determination by electrical methods.
	Specific heat capacity is defined as the amount of heat energy needed to produce <u>unit temperature</u> <u>change</u> {NOT: by 1 K} for <u>unit mass {NOT: 1 kg}</u> of a substance, without causing a change in state. i.e. $c = \frac{Q}{m\Delta T}$
	ELECTRICAL METHODS
h.	Define and use the concept of specific latent heat, and identify the main principles of its determination by electrical methods.

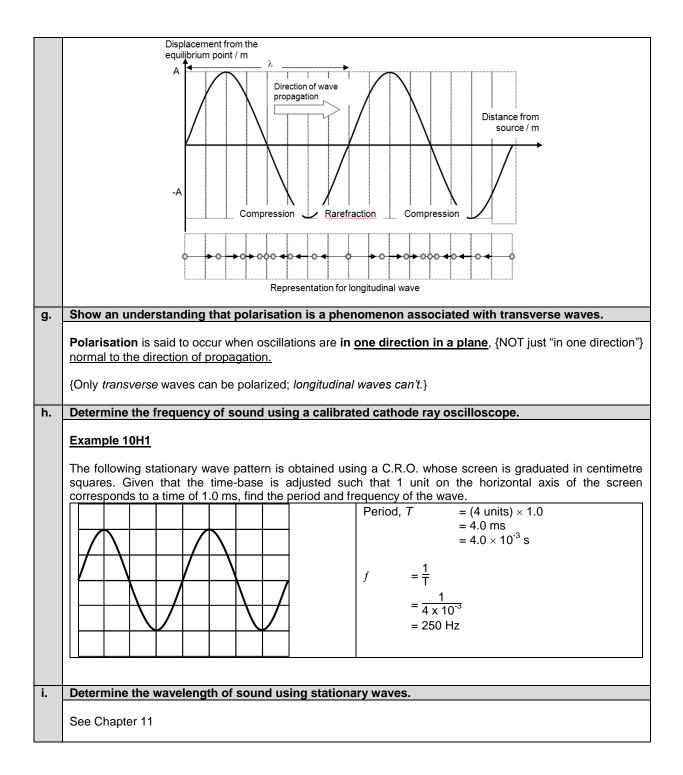
	Specific latent heat of vaporisation is defined as the amount of heat energy needed to change <u>unit mas</u> substance <u>from liquid phase to gaseous phase</u> <u>without a change of temperature</u> .					
		Specific latent heat of fusion is defined as the amount of heat energy needed to change <u>unit mass</u> substance from solid phase to liquid phase without a change of temperature				
		i.	e. $L = \frac{Q}{m}$ {for both cases	of vaporisation & melting}		
		pecific latent heat of va P2Q2}	aporisation is greater than	the specific latent heat of	fusion for a given substance	
	-	During vaporisation	, there is a <u>greater</u> increas	<u>se in volume</u> than in fusio	n;	
	-	Thus <u>more work is</u>	done against atmospheric	pressure during vaporisa	tion.	
	-		also means the INCREAS		R) POTENTIAL ENERGY , & ng.	
	-		of Thermodynamics, heat If {since Q = ml = Δ U - W}	t supplied during vaporis	ation more than that during	
	{Note	:				
	2	2. the increase in int	rative terms: <i>greater, mo</i> ernal energy is due to an s NOT to be considered a	increase in the PE, NO	T KE of molecules	
			ain why, <i>when a liq is bo</i> nge. (N97P3Q5, [4 m]}	iling, thermal energy is l	being supplied, and yet, the	
	_	-		W.		
i.	_	ain using a simple kin Melting and boiling t The specific latent same substance,	etic model for matter wh ake place without a char	nge in temperature,	ent heat of fusion for the	
i.	Expla i. ii.	ain using a simple kin Melting and boiling t The specific latent same substance,	etic model for matter wh take place without a char heat of vaporisation is l npanies evaporation.	nge in temperature, higher than specific lat Boiling	ent heat of fusion for the	
i.	Expla i. ii.	ain using a simple kin Melting and boiling t The specific latent same substance,	etic model for matter wh take place without a char heat of vaporisation is l npanies evaporation.	nge in temperature, higher than specific lat Boiling		
i.	Expla i. ii.	ain using a simple kin Melting and boiling to The specific latent same substance, Cooling effect accor	etic model for matter wh take place without a char heat of vaporisation is l npanies evaporation. Melting Throughout the substanc at <u>fixed</u> temperature and	nge in temperature, higher than specific lat Boiling	Evaporation On the surface,	
i.	Expla i. ii.	Ain using a simple kin Melting and boiling to The specific latent same substance, Cooling effect accor Occurrence	etic model for matter wh take place without a char heat of vaporisation is l mpanies evaporation. Melting Throughout the substance at <u>fixed</u> temperature and	nge in temperature, higher than specific lat Boiling ce, pressure Increase <u>significantly</u>	Evaporation On the surface,	
i. j.	Expla i. ii. iii. Reca	Ain using a simple kin Melting and boiling of The specific latent same substance, Cooling effect accor Occurrence Spacing(vol) & PE of molecules Temperature & hence KE of molecules	etic model for matter wh take place without a char heat of vaporisation is l mpanies evaporation. Melting Throughout the substanc at <u>fixed</u> temperature and Increase <u>slightly</u> Remains constant during	Boiling breessure Boiling Dece, pressure Increase <u>significantly</u> process	Evaporation On the surface, at <u>all</u> temperatures Decrease for	
	Expla i. ii. iii. Reca the h First	Ain using a simple kin Melting and boiling of The specific latent same substance, Cooling effect accor Occurrence Spacing(vol) & PE of molecules Temperature & hence KE of molecules II and use the first law eating of the system	etic model for matter wh take place without a char heat of vaporisation is l mpanies evaporation. Melting Throughout the substance at <u>fixed</u> temperature and Increase <u>slightly</u> Remains constant during w of thermodynamics exp and the work done on the nics:	Boiling bige in temperature, higher than specific lat Boiling ce, pressure Increase <u>significantly</u> process pressed in terms of the e system.	Evaporation On the surface, at <u>all</u> temperatures Decrease for remaining liquid	
	Expla i. ii. iii. iii. Reca the h First The <i>ii</i> work <i>i</i> ie Δ ΔU: <u><i>I</i></u> Q: He	Ain using a simple kin Melting and boiling of The specific latent same substance, Cooling effect accor Occurrence Spacing(vol) & PE of molecules Temperature & hence KE of molecules II and use the first law eating of the system Law of Thermodynam ncrease in internal ene	etic model for matter wheat of vaporisation is in a set of vaporisation. Melting Throughout the substance at fixed temperature and increase slightly Remains constant during w of thermodynamics expand the work done on the set of the system is equal to the system is equal to set of the system stem	Boiling bige in temperature, higher than specific lat Boiling ce, pressure Increase <u>significantly</u> process pressed in terms of the e system.	Evaporation On the surface, at all temperatures Decrease for remaining liquid	
	Expla i. ii. iii. iiii. iiii.	Ain using a simple kin Melting and boiling of The specific latent same substance, Cooling effect accor Occurrence Spacing(vol) & PE of molecules Temperature & hence KE of molecules II and use the first law eating of the system a Law of Thermodynam increase in internal energy done on the system. U = W + Q where increase in internal energy	etic model for matter wheat of vaporisation is I mpanies evaporation. Melting Throughout the substance at fixed temperature and Increase slightly Remains constant during w of thermodynamics exp and the work done on the nics: rgy of a system is equal to ergy of the system stem	Boiling bige in temperature, higher than specific lat Boiling ce, pressure Increase <u>significantly</u> process pressed in terms of the e system.	Evaporation On the surface, at all temperatures Decrease for remaining liquid	
	Expla i. ii. iii. First The <i>ii</i> work 0 ie Δ ΔU: <u>II</u> Q: Hee W: work {Neeco Work W = a	ain using a simple kin Melting and boiling of The specific latent same substance, Cooling effect accor Occurrence Spacing(vol) & PE of molecules Temperature & hence KE of molecules II and use the first law eating of the system Law of Thermodynam <i>ncrease</i> in internal ene done <i>on</i> the system. U = W + Q where <i>ncrease</i> in internal ene at supplied <u>to</u> the system at supp	etic model for matter wheat of vaporisation is in a mpanies evaporation. Melting Throughout the substance at fixed temperature and Increase slightly Remains constant during w of thermodynamics expand the work done on the mics: rgy of a system is equal to ergy of the system stem m vention for all 3 terms} it expands; work is done of the system is equal to be a sys	nge in temperature, higher than specific lat Boiling ce, pressure Increase significantly process pressed in terms of the e system. o the sum of the heat sup o the sum of the heat sup on a gas when it is compr	Evaporation On the surface, at all temperatures Decrease for remaining liquid change in internal energy, oplied to the system and the	

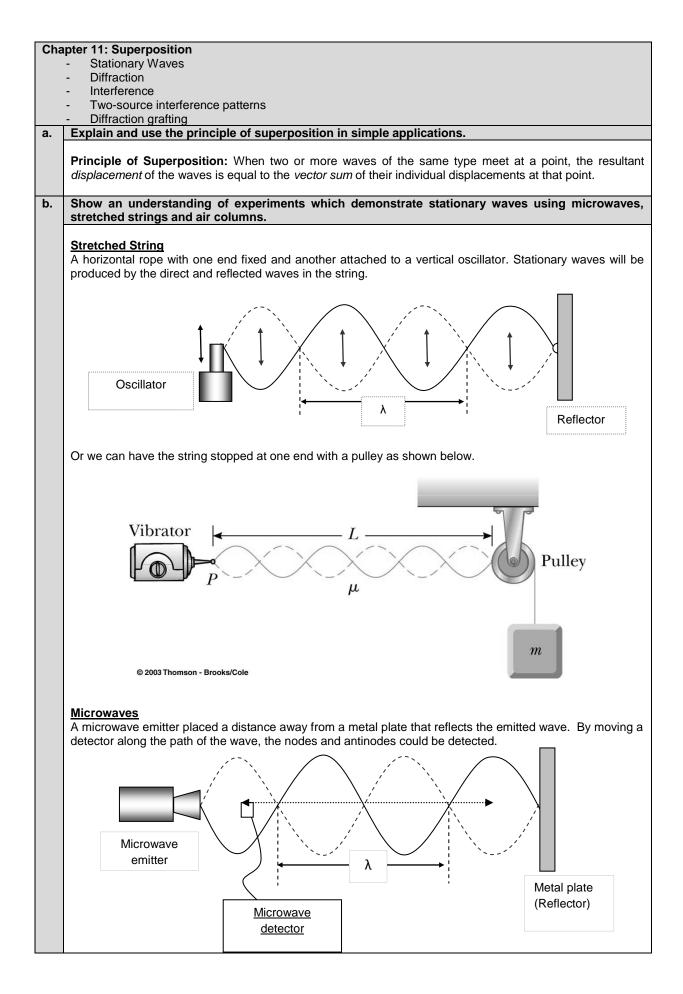
	ΔU for a cycle = 0 {since U \propto T, & ΔT = 0 for a cycle }		
k.	Recall and use the ideal gas equation pV = nRT where n is the amount of gas in moles.		
	Equation of state for an ideal gas: p V = n R T, where T is in Kelvin {NOT: ⁰ C}, n: no. of moles. p V = N k T, where N: no. of molecules, k:Boltzmann const		
	Ideal Gas: a gas which obeys the ideal gas equation pV = nRT FOR ALL VALUES OF P, V & T		
I.	Show an understanding of the significance of the Avogadro constant as the number of atoms in 0.012 kg of carbon-12.		
	Avogadro constant: defined as the number of atoms in 12 g of carbon-12. It is thus the number of particles (atoms or molecules) in one mole of substance.		
m.	Use molar quantities where one mole of any substance is the amount containing a number of particles equal to the Avogadro constant.		
	?		
n.	Recall and apply the relationship that the mean kinetic energy of a molecule of an ideal gas is proportional to the thermodynamic temperature to new situations or to solve related problems.		
	For an ideal gas, internal energy U = Sum of the KE of the molecules only {since PE = 0 for ideal gas}		
	ie $\mathbf{U} = \mathbf{N} \mathbf{x}^{1/2} \mathbf{m} \langle \mathbf{c}^2 \rangle = \mathbf{N} \mathbf{x} \frac{3}{2} \mathbf{k} \mathbf{T}$ {for monatomic gas}		
	 U depends on T and number of molecules N. U ∝ T for a given number of molecules 		
	Ave KE of a molecule, $\frac{1}{2}$ m <c<sup>2> \propto T { T in K: not ⁰C }</c<sup>		

SECTION IV WAVES

Cha	Chapter 10: Wave Motion				
	 Progressive Waves Transverse and Longitudinal Waves 				
	- Polarisation				
		ermination of frequency an			
а.		an understanding and one on a special and	use the terms displacement, amplitude, phase difference, period,		
	noquo	noj, natolongin una opo	5 VI		
	(a)	Displacement (y):	Position of an oscillating particle from its equilibrium position.		
	(b)	Amplitude (y ₀ or A):	The maximum magnitude of the displacement of an oscillating particle from its equilibrium position.		
	(c)	Period (T):	Time taken for a particle to undergo one complete cycle of oscillation.		
	(d)	Frequency (f):	Number of oscillations performed by a particle per unit time.		
	(e)	Wavelength (λ) :	For a progressive wave, it is the distance between any two <u>successive</u> particles that are <u>in phase</u> , e.g. it is the distance between 2 consecutive crests or 2 troughs.		
	(f)	Wave speed (v):	The speed at which the waveform travels in the direction of the propagation of the wave.		
	(g)	Wave front:	A line or surface joining points which are at the same state of oscillation, i.e. in phase, e.g. a line joining crest to crest in a wave.		
	(h)	Ray:	The path taken by the wave. This is used to indicate the direction of wave propagation. Rays are always at right angles to the wave fronts (i.e. wave fronts are always perpendicular to the direction of propagation).		
b.	Deduce	e, from the definitions of	speed, frequency and wavelength, the equation $v = f\lambda$		
	From th	ne definition of speed,	Speed = $\frac{\text{Distance}}{\text{Time}}$		
	A wave	travels a distance of one v	vavelength, λ , in a time interval of one period, <i>T</i> .		
		quency, <i>f</i> , of a wave is equ	1		
	Therefore, speed, $v = \frac{\lambda}{T}$				
	$= (\frac{1}{T})\lambda$				
			$= f\lambda$		
	Hence, $v = f\lambda$				
с.	Recall	and use the equation v =	fλ		
	F				
	Example 10C1 A wave travelling in the positive <i>x</i> direction is showed in the figure. Find the amplitude, wavelength, period, and speed of the wave if it has a frequency of 8.0 Hz.				

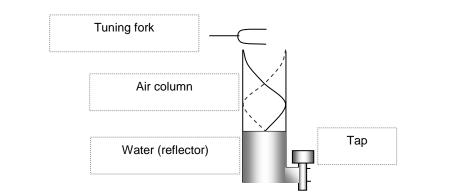






<u>Air column</u>

A tuning fork held at the mouth of a open tube projects a sound wave into the column of air in the tube. The length of the tube can be changed by varying the water level. At certain lengths of the tube, the air column resonates with the tuning fork. This is due to the formation of stationary waves by the <u>incident</u> and <u>reflected</u> sound waves at the water surface.



c. Explain the formation of a stationary wave using a graphical method, and identify nodes and antinodes.

Stationary (Standing) Wave) is one

- whose waveform/wave profile does not advance {move},
- where there is no net transport of energy, and
- where the positions of antinodes and nodes do not change (with time).

A stationary wave is formed when two <u>progressive</u> waves of the same <u>frequency</u>, <u>amplitude</u> and <u>speed</u>, travelling in <u>opposite directions</u> are superposed. {Assume boundary conditions are met}

	Stationary Waves	Progressive Waves
Amplitude	Varies from maximum at the anti-nodes to	Same for all particles in the wave
	zero at the nodes.	(provided no energy is lost).
Wavelength	Twice the distance between a pair of	The distance between two consecutive
	adjacent nodes or anti-nodes.	points on a wave, that are in phase.
Phase	Particles in the same segment/ between 2	All particles within one wavelength have
	adjacent nodes, are in phase. Particles in	different phases.
	adjacent segments are in anti-phase.	
Wave Profile	The wave profile does not advance.	The wave profile advances.
Energy	No energy is transported by the wave.	Energy is transported in the direction of
		the wave.

Node is a region of destructive superposition where the waves <u>always</u> meet <u>out of phase by π radians</u>. Hence displacement here is <u>permanently zero</u> {or minimum}.

Antinode is a region of constructive superposition where the waves <u>always</u> meet <u>in phase</u>. Hence a particle here <u>vibrates</u> with <u>maximum amplitude</u> {but it is NOT a pt with a *permanent* large displacement!}

Dist between 2 successive nodes/antinodes = $\frac{\Lambda}{2}$

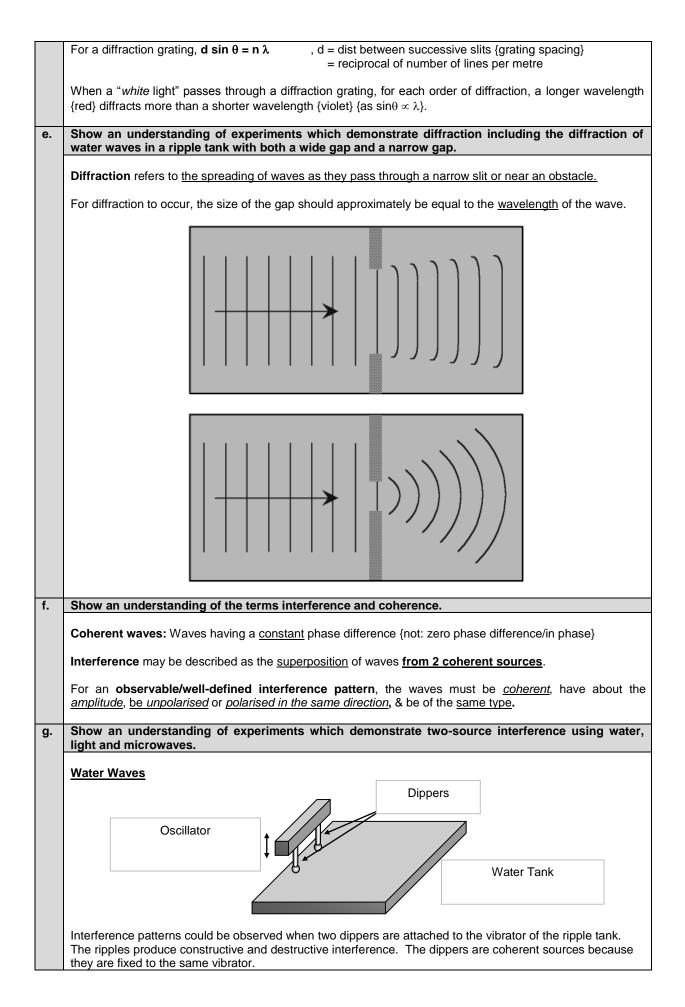
<u>Max pressure change</u> occurs at the <u>nodes</u> {NOT the antinodes} because every node changes fr being a pt of compression to become a pt of rarefaction {half a period later}

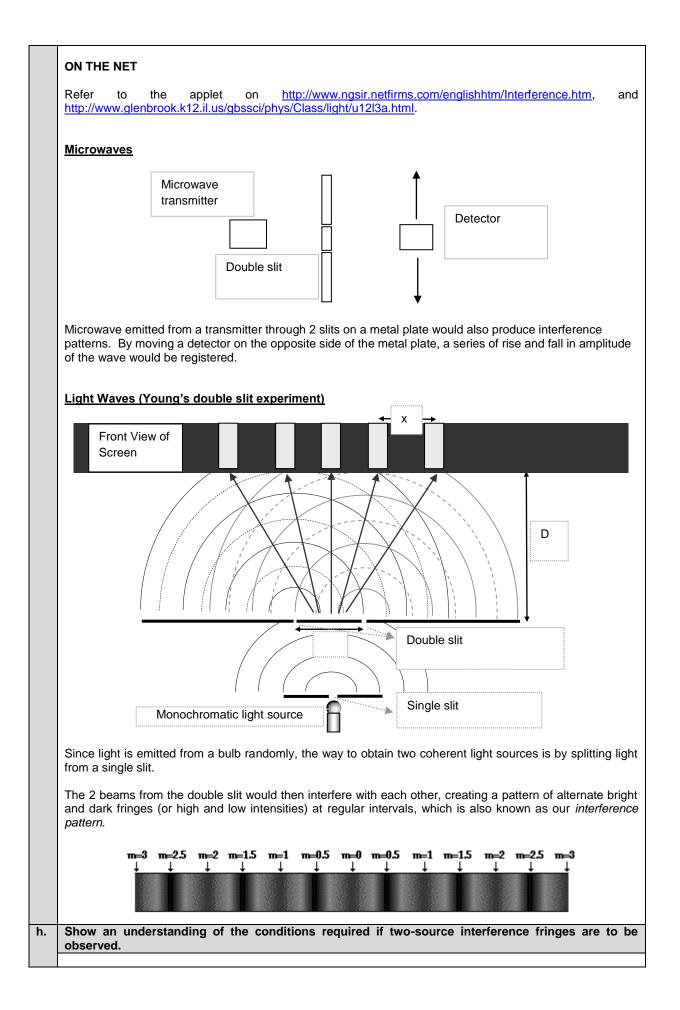
d. Explain the meaning of the term diffraction.

j. Recall and solve problems by using the formula $dsin\theta = n\lambda$ and describe the use of a diffraction grating to determine the wavelength of light. (The structure and use of the spectrometer is not required.)

Diffraction: refers to the <u>spreading</u> {or bending} of waves when they pass through an <u>opening {gap}</u>, or <u>round an obstacle</u> (into the "shadow" region). {Illustrate with diag}

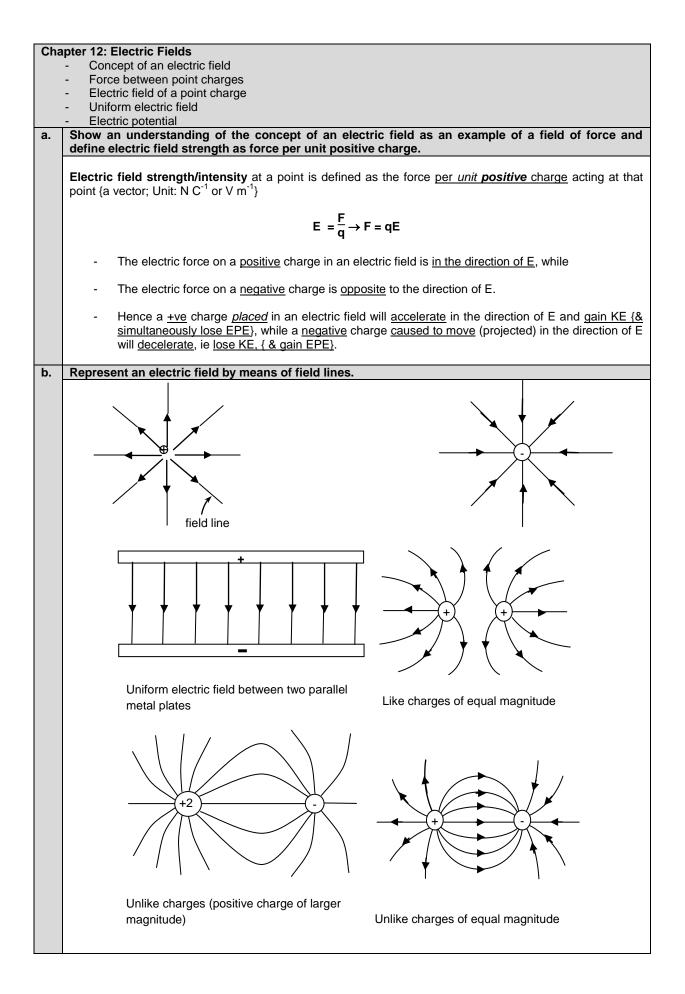
For significant diffraction to occur, the size of the gap $\approx \lambda$ of the wave

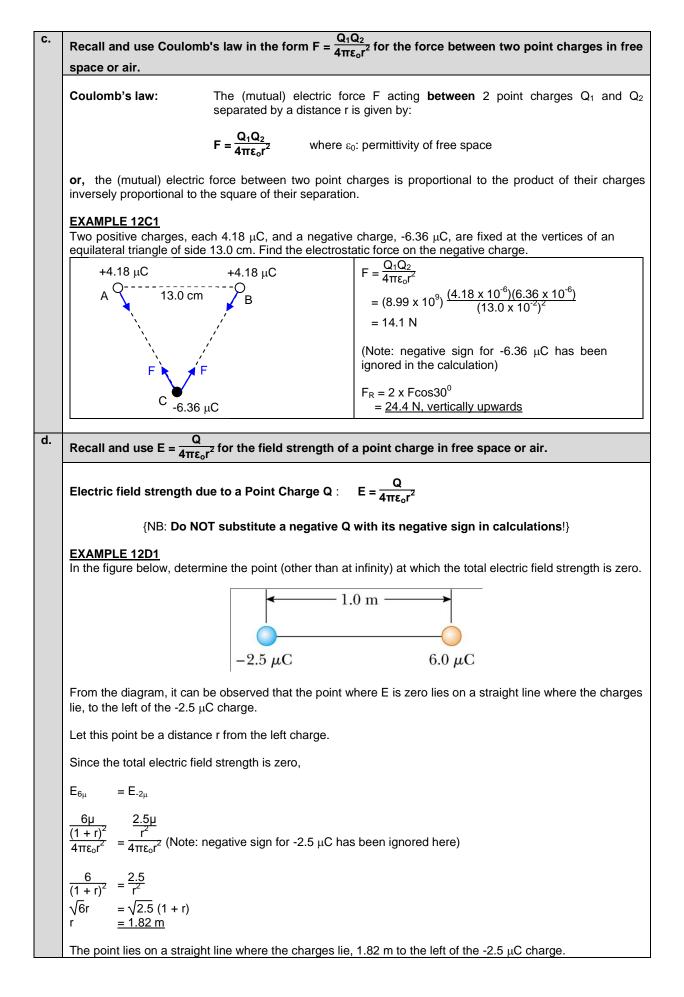




	Condition for Constructive Interference at a pt P:
	phase difference of the 2 waves at P = 0 {or 2π , 4π , etc}
	Thus, with 2 <i>in-phase</i> sources, * implies path difference = $n\lambda$; with 2 <i>antiphase</i> sources: path difference = $(n + \frac{1}{2})\lambda$
	Condition for Destructive Interference at a pt P:
	phase difference of the 2 waves at P = π { or 3π , 5π , etc }
	With 2 <i>in-phase</i> sources, + implies path difference = (n+ $\frac{1}{2} \lambda$), with 2 <i>antiphase</i> sources: path difference = n λ
i.	Recall and solve problems using the equation $\lambda = \frac{\lambda D}{a}$ for double-slit interference using light.
i.	
i.	Recall and solve problems using the equation $\lambda = \frac{\lambda D}{a}$ for double-slit interference using light. Fringe separation $x = \frac{\lambda D}{a}$, if a< <d <i="" double="" interference="" of="" only="" slit="" to="" young's="" {applies="">light,</d>

SECTION V ELECTRICITY & MAGNETISM



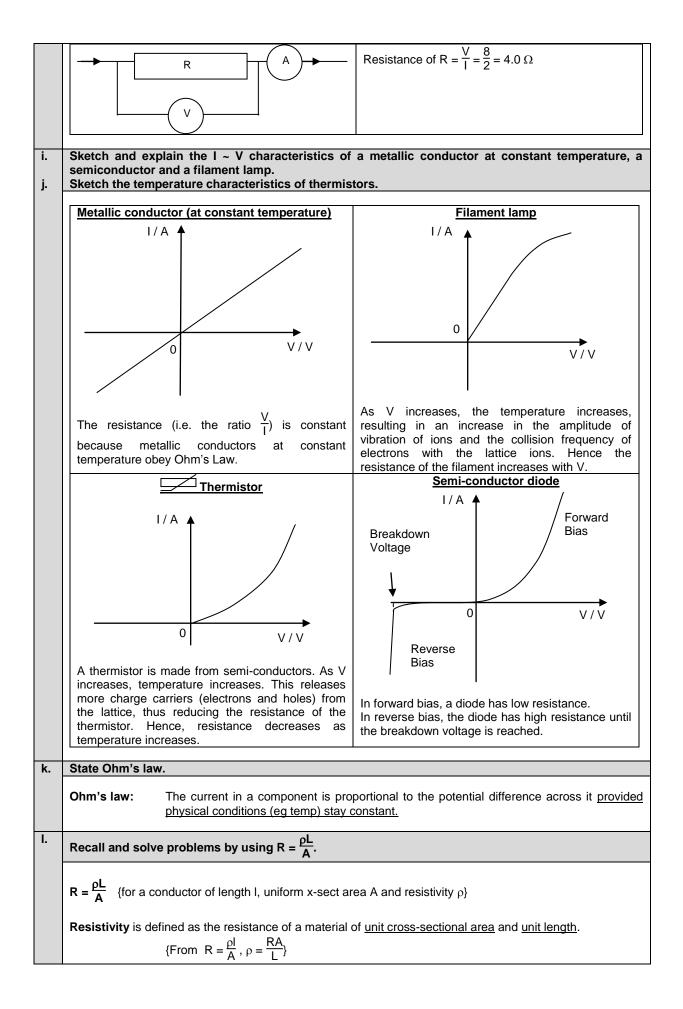


e.	Calculate the field strength of the uniform field between charged parallel plates in terms of potential difference and separation.			
f.	Calculate the forces on charges in uniform electric fields.			
	Uniform electric field between 2 Charged Parallel Plates: $E = \frac{V}{d}$,			
	d: perpendicular dist between the plates, V: potential difference between plates			
	Path of charge moving at 90 ⁰ to electric field: parabolic. Beyond the pt where it exits the field, the path is a <u>straight</u> line, at a <u>tangent</u> to the parabola at exit.			
	EXAMPLE 12E1			
	An electron (m = 9.11×10^{-31} kg; q = -1.6×10^{-19} C) moving with a speed of 1.5×10^7 m s ⁻¹ , enters a region between 2 parallel plates, which are 20 mm apart and 60 mm long. The top plate is at a potential of 80 V relative to the lower plate. Determine the angle through which the electron has been deflected as a result of passing through the plates.			
	+80 V			
	20 mm			
	$1.5 \times 10^7 \text{ m s}^{-1}$			
	Time taken for the electron to travel 60 mm horizontally = $\frac{\text{Distance}}{\text{Speed}} = \frac{60 \times 10^{-3}}{1.5 \times 10^{7}} = 4 \times 10^{-9} \text{ s}$			
	$E = \frac{V}{d} = \frac{80}{20 \times 10^{-3}} = 4000 \text{ V m}^{-1}$			
	$a = \frac{F}{m} = \frac{eE}{m} = \frac{(1.6 \times 10^{-19})(4000)}{(9.1 \times 10^{-31})} = 7.0 \times 10^{14} \text{ m s}^{-2}$			
	$v_y = u_y + at = 0 + (7.0 \times 10^{14})(4 \times 10^{-9}) = 2.8 \times 10^6 \text{ m s}^{-1}$			
	$t_{\rm em} = \frac{v_{\rm y}}{2.8 \times 10^6} = 0.187$			
	$\tan \theta = \frac{v_{y}}{v_{x}} = \frac{2.8 \times 10^{6}}{1.5 \times 10^{7}} = 0.187$ $\therefore \theta = 10.6^{0}$			
g.	Describe the effect of a uniform electric field on the motion of charged particles.			
	- Equipotential surface: a surface where the electric potential is constant			
	 Potential gradient = 0, ie E along surface = 0 } 			
	- Hence <u>no work is done</u> when a charge is moved along this surface.{ W=QV, V=0 }			
	- Electric field lines must meet this surface at right angles .			
	 {If the field lines are not at 90⁰ to it, it would imply that there is a non-zero component of E along the surface. This would contradict the fact that E along an equipotential = 0. } 			
h.	Define potential at a point in terms of the work done in bringing unit positive charge from infinity to the point.			
	Electric potential at a point: is defined as the work done in moving a unit positive charge from infinity to			
	that point, { a scalar; unit: V } ie V = $\frac{W}{Q}$			
	The electric potential at infinity is defined as zero. At any other point, it may be positive or negative depending on the sign of Q that sets up the field. {Contrast gravitational potential.}			
i.	State that the field strength of the field at a point is numerically equal to the potential gradient			
	at that point			

	Relation between E and V: $\mathbf{E} = -\frac{\mathbf{d}V}{\mathbf{d}r}$			
	i.e. The electric field strength at a pt is numerically equal to the potential gradient at that pt.			
	NB: Electric field lines point in direction of <u>decreasing</u> potential {ie from high to low pot}.			
j.	Use the equation V = $\frac{Q}{4\pi\epsilon_0 r}$ for the potential in the field of a point charge.			
	Electric potential energy U of a charge Q at a pt where the potential is V: $U = QV$ \rightarrow Work done W on a charge Q in moving it across a pd ΔV : $W = Q \Delta V$			
	Electric Potential due to a <i>point</i> charge Q : $V = \frac{Q}{4\pi\epsilon_o r}$ {in List of Formulae}			
	{NB: Substitute Q with its sign}			
k.	Recognise the analogy between certain qualitative and quantitative aspects of electric field and gravitational fields.			
	See 7h			

Cha	hapter 13: Current of Electricity				
	- Electric current				
	 Potential difference Resistance and Resistivity 				
	- Sources of electromotive force				
а.	Show an understanding that electric current is the rate of flow of charged particles.				
	Electric current is the rate of flow of <i>charge.</i> {NOT: charged particles}				
-					
b.	Define charge and coulomb.				
	Electric charge Q passing a point is defined as the product of the (steady) current at that point and the time for which the current flows, ie Q = I t				
	One coulomb is defined as the charge flowing per second pass a point at which the current is one ampere.				
с.	Recall and solve problems using the equation Q = It.				
	EXAMPLE 13C1 An ion beam of singly-charged Na ⁺ and K ⁺ ions is passing through vacuum. If the beam current is 20μ A, calculate the total number of ions passing any fixed point in the beam per second. (The charge on each ion is 1.6×10^{-19} C.)				
	Current, $I = \frac{Q}{t} = \frac{Ne}{t}$ where N is the no. of ions and e is the charge on one ion.				
	No. of ions per second $=\frac{N}{t}$				
	$= \frac{l}{e}$ = $\frac{20 \times 10^{-6}}{1.6 \times 10^{-19}}$ = 1.25 x 10 ⁻¹⁴				
d.	Define potential difference and the volt.				
	Potential difference is defined as the energy transferred from electrical energy to other forms of energy				
	when <u>unit</u> charge passes through an electrical device, ie $V = \frac{V}{Q}$				
	P. D. = Energy Transferred / Charge = Power / Current or, is the ratio of the power supplied to the device				
	to the current flowing, ie $V = \frac{P}{I}$				
	The volt: is defined as the potential difference between 2 pts in a circuit in which <u>one joule of energy is</u> <u>converted</u> from electrical to non-electrical energy when <u>one coulomb</u> passes from 1 pt to the other, ie 1 volt = One joule per coulomb				
	Difference between Potential and Potential Difference (PD): The potential at a point of the circuit is due to the amount of charge present along with the energy of the charges. Thus, the potential along circuit drops from the positive terminal to negative terminal, and potential differs from points to points.				
	Potential Difference refers to the difference in potential between any given two points. For example, if the potential of point A is 1 V and the potential at point B is 5 V, the PD across AB , or V _{AB} , is 4 V. In addition, when there is no energy loss between two points of the circuit, the potential of these points is same and thus the PD across is 0 V.				
е.	Recall and solve problems by using V = $\frac{W}{Q}$				
	EXAMPLE 13E1 A current of 5 mA passes through a bulb for 1 minute. The potential difference across the bulb is 4 V.				

	Calculate					
	Calculate					
	(a) The amount of charge passing through the bulb in 1 minute. Charge Q = I t					
	$= 5 \times 10^{-3} \times 60$					
	= 0.3 C					
	(b) The work done to operate the bulb for 1 minute. W					
	Potential difference across the bulb = $\frac{W}{Q}$					
	4 $=\frac{W}{0.3}$					
	Work done to operate the bulb for 1 minute $= 0.3 \times 4$					
	= 1.2 J					
f.	Recall and solve problems by using $P = VI$, $P = I^2R$.					
	V^2					
	Electrical Power, P = V I = I ² R = $\frac{V^2}{R}$					
	(Princhtness of a lamp is determined by the power dissipated NOT: by $V_{\rm er}$ lar P alone)					
	{Brightness of a lamp is determined by the power dissipated, NOT: by V, or I or R alone}					
	EXAMPLE 13F1					
	A high-voltage transmission line with a resistance of 0.4 Ω km ⁻¹ carries a current of 500 A. The line is at a potential of 1200 kV at the power station and carries the current to a city located 160 km from the power					
	station. Calculate					
	(a) the power loss in the line.					
	The power loss in the line P = $I^2 R$ = $500^2 \times 0.4 \times 160$					
	= 16 MW					
	(b) the fraction of the transmitted power that is lost.					
	The total power transmitted $= 1 V$ = 500 × 1200 × 10 ³					
	= 600 MW					
	The fraction of power loss $=\frac{10}{600}$					
	= 0.267					
g.	Define resistance and the ohm.					
	Resistance is defined as the ratio of the potential difference across a component to the current flowing					
	through it, i.e. $R = \frac{V}{I}$					
	{It is NOT defined as the gradient of a V-I graph; however for an ohmic conductor, its resistance equals the					
	gradient of its V-I graph as this graph is a straight line which passes through the origin}					
	The Ohm: is the resistance of a resistor if there is a current of 1 A flowing through it when the pd across it					
	is 1 V, ie, 1 Ω = One volt per ampere					
h.	Recall and solve problems by using V = IR.					
	EXAMPLE 13H1 In the circuit below, the voltmeter reading is 8.00 V and the ammeter reading is 2.00 A. Calculate the					
	resistance of R.					



EXAMPLE 13L1 Calculate the resistance of a nichrome wire of length 500 mm and diameter 1.0 mm, given that the resistivity of nichrome is $1.1 \times 10^{-6} \Omega$ m. $= \frac{\rho}{\Delta}$ Resistance, R $=\frac{(1.1 \times 10^{-6})(500 \times 10^{-3})}{\pi \left(\frac{1 \times 10^{-3}}{2}\right)^2}$ $= 0.70 \Omega$ Define EMF in terms of the energy transferred by a source in driving unit charge round a complete m. circuit. Electromotive force Emf is defined as the energy transferred/converted from non-electrical forms of energy into electrical energy when unit charge is moved round a complete circuit. ie EMF = Energy Transferred per unit charge, $=\frac{W}{Q}$ ie E Distinguish between EMF and P.D. in terms of energy considerations. n. EMF refers to the electrical energy generated from non-electrical energy forms, whereas PD refers to electrical energy being changed into non-electrical energy. For example, **Energy Change** PD across **Energy Change EMF Sources Chemical Cell** Chem -> Elec Elec -> Light Bulb Generator Mech -> Elec Fan Elec -> Mech Thermocouple Thermal -> Elec Door Bell Elec -> Sound Solar Cell Solar -> Elec Heating element Elec -> Thermal о. Show an understanding of the effects of the internal resistance of a source of EMF on the terminal potential difference and output power. Internal resistance is the resistance to current flow within the power source. It reduces the potential difference (not EMF) across the terminal of the power supply when it is delivering a current. Consider the circuit below: Internal resistance of (Cell) cell I R The voltage across the resistor, V = I R, The voltage lost to internal resistance = 1 rThus, the EMF of the cell, E = |R + |r= V + I r \therefore If I = 0 A or if r = 0 Ω , V = E

Chapter 14: D.C. Circuits

- **Practical Circuits**
- Series and parallel arrangements
- Potential divider
- **Balanced** potentials

Recall and use appropriate circuit symbols as set out in SI Units, Signs, Symbols and Abbreviations a. (ASE, 1981) and Signs, Symbols and Systematics (ASE, 1995).

Draw and interpret circuit diagrams containing sources, switches, resistors, ammeters, voltmeters, b. and/or any other type of component referred to in the syllabus.

Symbol	Meaning	Symbol	Meaning
	Cell/ Battery		Thermistor
o o	Power Supply		Diode
	Switch		Potential Divider
A	Ammeter		Earth
	Voltmeter	Y	Aerial/ Antenna
-(-)	Galvanometer		Capacitor
$-\otimes$ -	Filament Lamp		Inductor
	Resistor		Wires crossing with no connection
	Variable Resistor		Wires crossing with connection
	Light-Dependent Resistor	I IIII	Loudspeaker

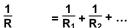
c. d.

Solve problems using the formula for the combined resistance of two or more resistors in series. Solve problems using the formula for the combined resistance of two or more resistors in parallel.

Resistors in Series:

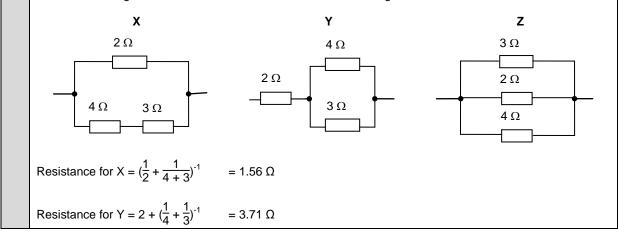
= R₁ + R₂ + ... R

Resistors in Parallel:

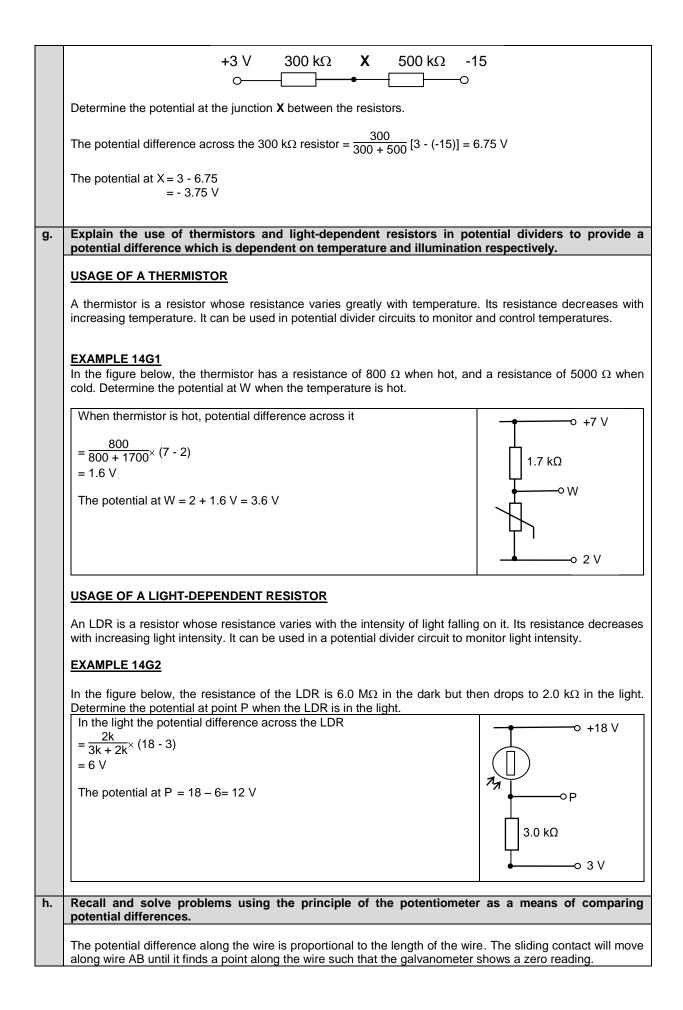


EXAMPLE 14CD1

Three resistors of resistance 2 Ω , 3 Ω and 4 Ω respectively are used to make the combinations X, Y and Z shown in the diagrams. List the combinations in order of increasing resistance.



Resistance for Z = $(\frac{1}{3} + \frac{1}{2} + \frac{1}{4})^{-1}$ = 0.923 Ω Therefore, the combination of resistors in order of increasing resistance is Z X Y. Solve problems involving series and parallel circuits for one source of e.m.f. e. EXAMPLE 14E1 **E.g. 4** Referring to the circuit drawn, determine the value of I₁, I and R, the combined resistance in the circuit. $E = I_1 (160) = I_2 (4000) = I_3 (32000)$ 2 V $= \frac{2}{160} = 0.0125 \text{ A}$ $= \frac{2}{4000} = 5 \times 10^{-4} \text{ A}$ $= \frac{2}{32000} = 6.25 \times 10^{-5} \text{ A}$ I_1 **160** Ω 1 I_2 Т I₃ 4000 Ω 12 Since $I = I_1 + I_2 + I_3$, I = 13.1 mAApplying Ohm's Law, $R = \frac{2}{13.1 \times 10^{-3}}$ 32000 Ω I_3 = 153 Ω EXAMPLE 14E2 A battery with an EMF of 20 V and an internal resistance of 2.0 Ω is connected to resistors R₁ and R₂ as shown in the diagram. A total current of 4.0 A is supplied by the battery and R₂ has a resistance of 12 Ω. Calculate the resistance of R_1 and the power supplied to each circuit component. $E - I r = I_2 R_2$ 2Ω $20 - 4(2) = I_2(12)$ $I_2 = 1A$ 20 V $I_1 = 4 - 1 = 3 A$ Therefore, 4 A R_1 $E - I r = I_1 R_1$ $12 = 3 R_1$ $R_1 = 4$ Therefore. R_2 = $(I_1)^2 R_1$ = 36 W Power supplied to R₁ Power supplied to R₂ $(I_2)^2 R_2$ = 12 W Show an understanding of the use of a potential divider circuit as a source of variable p.d. f. For potential divider with 2 resistors in series, Potential drop across R₁, $V_1 = \frac{R_1}{R_1 + R_2} X PD$ across R₁ & R₂ Potential drop across R₂, $V_1 = \frac{R_2}{R_1 + R_2} X PD$ across R₁ & R₂ EXAMPLE 14F1 Two resistors, of resistance 300 k Ω and 500 k Ω respectively, form a potential divider with outer junctions maintained at potentials of +3 V and -15 V.



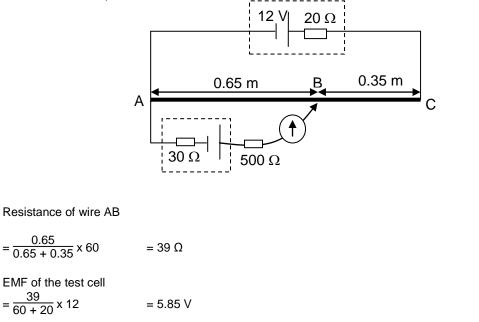
When the galvanometer shows a zero reading, the current through the galvanometer (and the device that is being tested) is zero and the potentiometer is said to be "balanced".

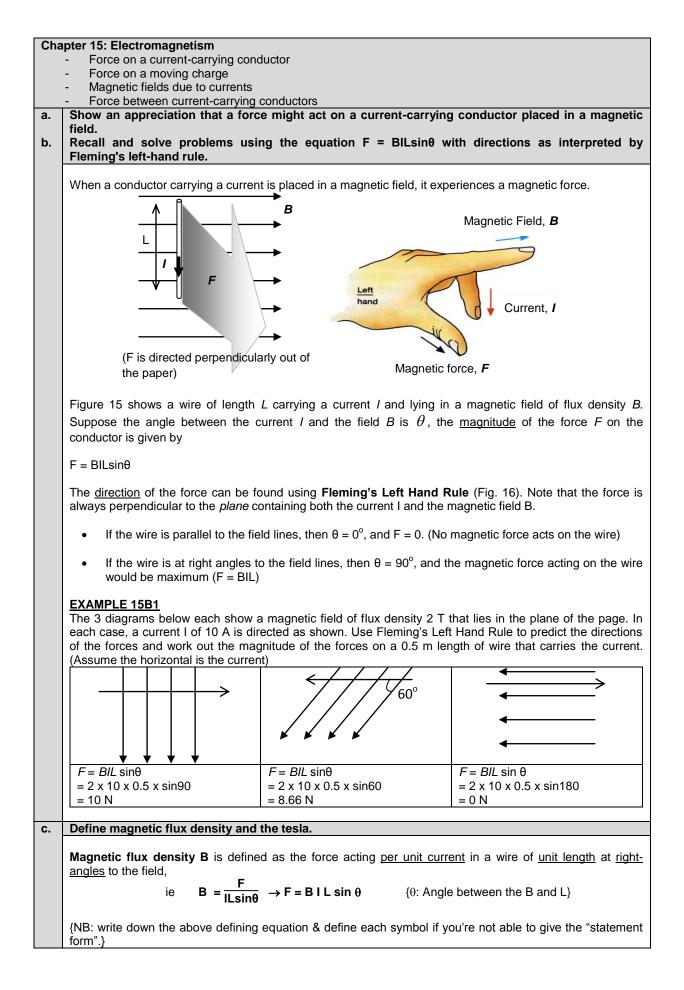
If the cell has negligible internal resistance, and if the potentiometer is balanced,

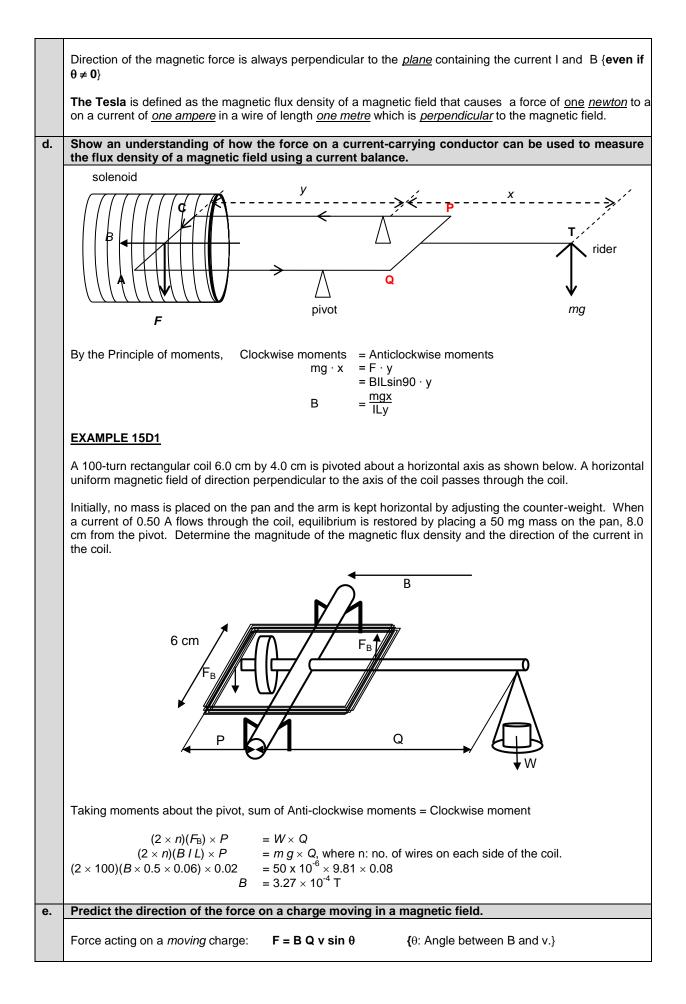
EMF / PD of the unknown source, V =
$$\frac{L_1}{L_1 + L_2} \times E$$

EXAMPLE 14H1

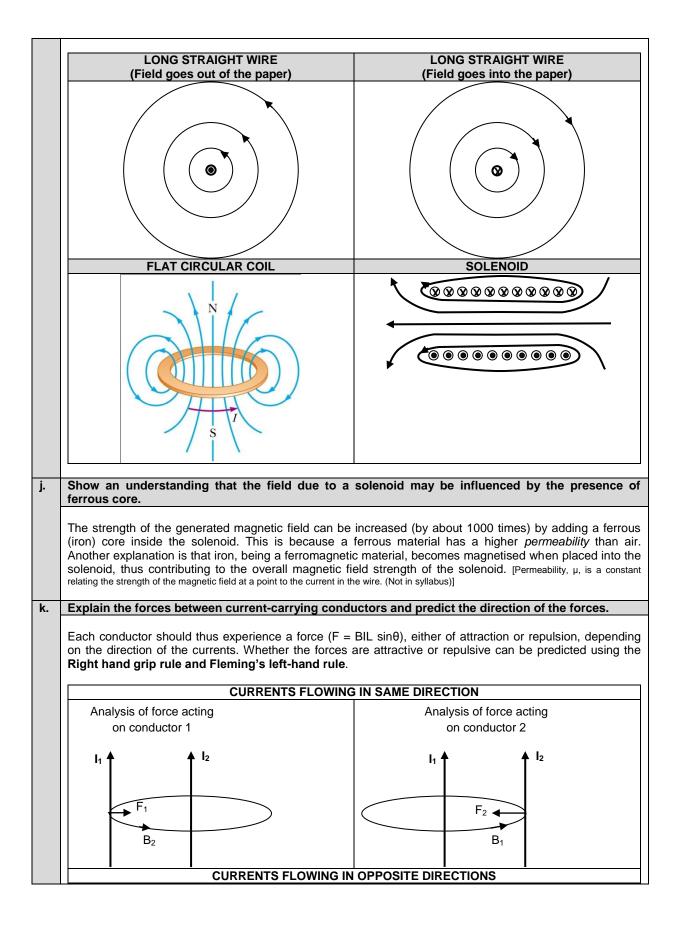
In the circuit shown, the potentiometer wire has a resistance of 60 Ω . Determine the EMF of the unknown cell if the balanced point is at B.

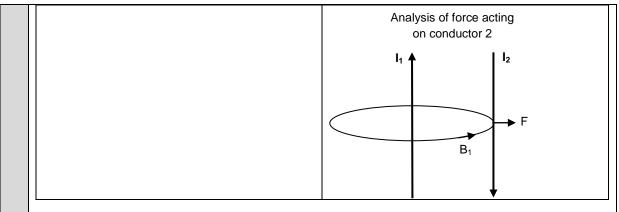






	The <u>direction</u> of this force may be found by using Fleming's left hand rule. The angle θ determines the type of path the charged particle will take when moving through a uniform magnetic field:				
	• If $\theta = 0^{\circ}$, the charged particle takes a straight path since it is not deflected ($F = 0$)				
	• If $\theta = 90^{\circ}$, the charged particle takes a circular path since the force at every point in the path is perpendicular to the motion of the charged particle.				
	Since F is <u>always</u> be <u>perpendicular</u> to v {even if $\theta \neq 0$ },				
	the magnetic force can provide the centripetal force, \rightarrow Bqv = $\frac{mv^2}{r}$				
f.	Recall and solve problems using F = BQv sinθ.				
	EXAMPLE 15F1An electron moves in a circular path in vacuum under the influence of a magnetic field. x				
	The radius of the path is 0.010 m and the flux density is 0.010 T. Given that the mass of the electron is 9.11 x 10^{-31} kg and the charge on the electron is -1.6×10^{-19} C, determine (i) whether the motion is clockwise or anticlockwise;				
	The magnetic force on the electron points towards the centre of the circular path; hence using Fleming's left hand rule, we deduce that the current I points to the left. The electron must be moving clockwise.				
	$\frac{\text{(ii)} \text{the velocity of the electron.}}{\text{Bqv} = \frac{mv^2}{r}}$				
	$v = \frac{Bqr}{m}$				
	$=\frac{(0.010)(1.6 \times 10^{-19})(0.010)}{9.11 \times 10^{-31}}$				
	$= 1.76 \times 10^7 \text{ m s}^{-1}$				
g.	Describe and analyse deflections of beams of charged particles by uniform electric and uniform magnetic fields.				
	Use Fleming's Left Hand Rule to analyse, then apply Parabolic Motion to analyse.				
h.	Explain how electric and magnetic fields can be used in velocity selection for charged particles.				
	Crossed-Fields in Velocity Selector:				
	A setup whereby an E-field and a B-field are <u>perpendicular</u> to each other such that they exert <u>equal & opposite forces</u> on a moving charge {if the velocity is "a certain value"}				
	I.e., if Magnetic Force = Electric Force B q v = q E				
	$v = \frac{E}{B}$				
	- -				
	Only particles with speed = $\frac{E}{B}$ emerge from the cross-fields <u>undeflected</u> .				
	For particles with speed > $\frac{E}{B}$, Magnetic Force > Electric Force				
	For particles with speed $< \frac{E}{B}$, Magnetic Force $<$ Electric Force				
i.	Sketch flux patterns due to a long straight wire, a flat circular coil and a long solenoid.				





EXAMPLE 15K1

A long length of aluminium foil ABC is hung over a wooden rod as shown below. A large current is momentarily passed through the foil in the direction ABC, and the foil moves.

(i) Draw arrows to indicate the directions in which AB and BC move

Since currents in AB and BC are 'unlike' currents (they are flowing in opposite directions), the two foil sections AB and BC will repel each other.

(ii) Explain why the foil moves in this way

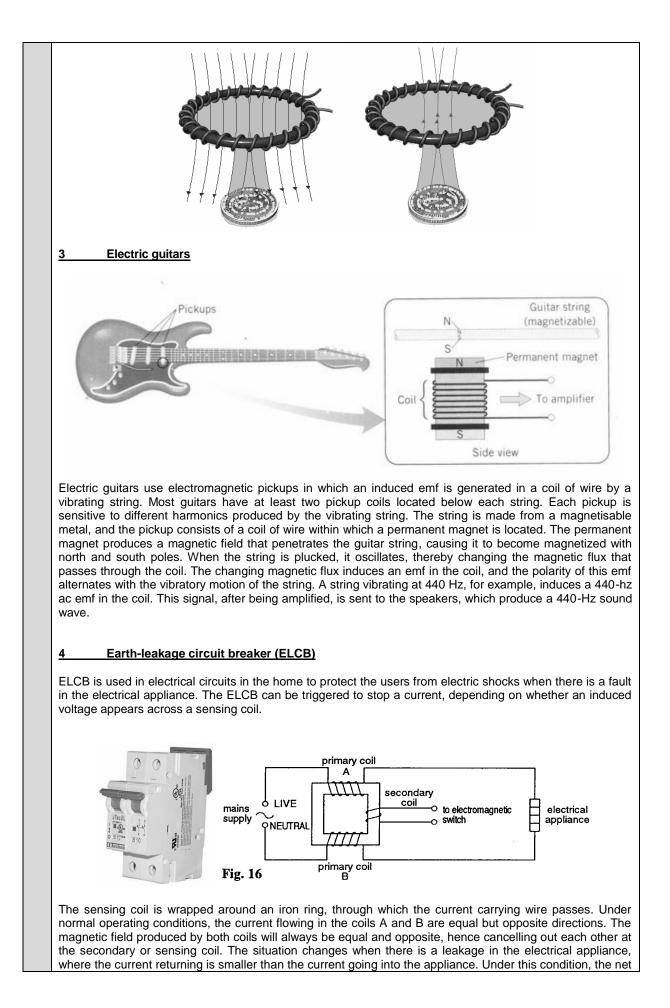
The current in the left foil AB produces a magnetic field in the other (BC). According to the Right Hand Grip Rule & Fleming's Left Hand Rule, the force on BC is away from and perpendicular to AB. By a similar consideration, the force on AB is also away from BC. Thus the forces between the foils are repulsive.

Cha	pter 16: Electromagnetic Induction - Magnetic flux - Laws of electromagnetic induction
a.	Define magnetic flux and the weber.
	Electromagnetic induction refers to the phenomenon where an emf is induced when the magnetic flux linking a conductor changes.
	Magnetic Flux is defined as the product of the magnetic flux density and the area <u>normal</u> to the field through which the field is passing. It is a scalar quantity and its S.I. unit is the weber (Wb).
	$\phi = \mathbf{B} \mathbf{A}$
	The Weber is defined as the magnetic flux if a flux density of <u>one</u> tesla passes <u>perpendicularly</u> through an area of <u>one square metre</u> .
b.	Recall and solve problems using ϕ = BA.
	EXAMPLE 16B1 A magnetic field of flux density 20 T passes down through a coil of of wire, making an angle of 60° to the plane of the coil as shown. The coil has 500 turns and an area of 25 cm ² . Determine:
	$ \begin{array}{ll} (i) & \text{the magnetic flux through the coil} \\ \phi & = B A \\ & = 20 \ (\sin 60^\circ) \ 25 \times 10^{-4} \\ & = 0.0433 \ \text{Wb} \end{array} $
	(ii) the flux linkage through the coil
	$\Phi = N \phi$
	$= 500 \times 0.0433 = 21.65 \text{ Wb}$
C.	Define magnetic flux linkage.
	Magnetic Flux Linkage is the product of the magnetic flux passing through a coil and the number of turns of the coil.
	$\Phi = N \phi = N B A$
d.	Infer from appropriate experiments on electromagnetic induction:
	i. That a changing magnetic flux can induce an e.m.f. in a circuit,
	In the set up shown above, when the switch S connected to coil A is closed, the galvanometer needle connected to coil B moves to 1 side momentarily.
	And when the switch S is opened, the galvanometer needle moves to the other side momentarily.
	At the instant when switch S is either opened or closed, there is a change in magnetic flux in coil A.
	The movement in the needle of the galvanometer indicates that when there is a change in magnetic flux in coil A, a current passes through coil B momentarily. This suggests that an EMF is generated in

		coil B momentarily.		
	ii.	That the direction of the induced e.m.f. opposes the change producing it,		
		See below		
	iii. The factors affecting the magnitude of the induced e.m.f.			
		When a magnet is pushed into a coil as shown, the galvanometer deflects in one direction momentarily.		
		When the magnet is not moving, the galvanometer shows no reading.		
		When the magnet is withdrawn from the coil, the galvanometer deflects in the opposite direction momentarily.		
		When the magnet is moved, its field lines are being "cut" by the coil. This generates an induced EMF in the coil that produces an induced current that flows in the coil, causing the deflection in the ammeter.		
		The magnitude of the deflection depends on the magnetic field density B, the speed of motion v of the magnet, and the number of turns N in the coil.		
е.	Reca	II and solve problems using Faraday's law of electromagnetic induction and Lenz's law.		
		day's Law nagnitude of <i>induced</i> EMF is directly proportional/equal to the rate of <u>change</u> of <i>magnetic flux-linkage</i> .		
		$ \mathbf{E} = \frac{\mathrm{d}NBA}{\mathrm{d}t}$		
	The o	<u>'s Law</u> direction of the induced EMF is such that <u>its effects</u> oppose the <u>change which causes it</u> , or The induced ant in a closed loop must flow in such a direction that its effects opposes the flux change {or change} produces it		
	Expla	MPLE 16E1 ain how Lenz's Law is an example of the law of conservation of energy: trate with diagram of a coil "in a complete circuit", bar magnet held in hand of a person {= external t)}		
	-	As the ext agent causes the magnet to approach the coil, by Lenz's law, a current is induced in such a direction that the coil repels the approaching magnet.		
	.	• Consequently, work has to be done by the external agent to overcome this opposition, and		
	-	It is this work done which is the source of the electrical <u>energy</u> {Not: induced emf}		
	For a	straight conductor "cutting across" a B-field: E = B L vsinθ		

&	E = N B A ω cos ω t, E = N B A ω sin ω t,	if φ = BAsinωt if φ = BAcosωt	
{Wheth	er ϕ = BAsin ω t, or = BAcos ω	ot, would depend	on the initial condition}
The inc	duced EMF is the <u>negative c</u>	of the gradient of	the $\phi \sim t$ graph {since E = $-\frac{dN\phi}{dt}$ }
\rightarrow the g	graphsofEvst & ∳vst,fo	or the <u>rotating coi</u>	have a phase difference of 90° .
Explai	n simple applications of e	lectromagnetic	induction.
Backg	round Knowledge		
Eddy C	urrents		
	currents are currents induced in ic field or metals that are exposed to		
Conside	er a solid metallic cylinder rotating in a	a B-field as shown.	
(a)	A force resisting the rotation we shown.	ould be generated as	
(b)	Heat would be generated by th cylinder.	he induced current in	F H
	on between the coins increases res irrent, thus reducing friction or heating		
eddy cu	irrent, thus reducing friction or heating		
eddy cu	irrent, thus reducing friction or heating		
eddy cu	irrent, thus reducing friction or heating	^{g.}	nagnetic fields in the stove generate eddy currents in the metal pot placed on it, thus producing heat.
eddy cu	irrent, thus reducing friction or heating	g. Changing r the base of 1. Th	e element's electronics power a coil that produces a
eddy cu	irrent, thus reducing friction or heating	g. Changing r the base of 1. Th hig 2. Th	the metal pot placed on it, thus producing heat. The element's electronics power a coil that produces a gh-frequency electromagnetic field. The field penetrates the metal of the ferrous (magnetic
eddy cu	irrent, thus reducing friction or heating	g. Changing r the base of 1. Th hig 2. Th ma cu	the metal pot placed on it, thus producing heat. The element's electronics power a coil that produces a gh-frequency electromagnetic field. The field penetrates the metal of the ferrous (magnetic aterial) cooking vessel and sets up a circulating eddy rrent, which generates heat.
eddy cu	irrent, thus reducing friction or heating	g. Changing r the base of 1. Th hig 2. Th ma cu 3. Th the	the metal pot placed on it, thus producing heat. The element's electronics power a coil that produces a gh-frequency electromagnetic field. The field penetrates the metal of the ferrous (magnetic aterial) cooking vessel and sets up a circulating edd rrent, which generates heat. The heat generated <i>in the cooking vessel</i> is transferred to be vessel's contents.
eddy cu	irrent, thus reducing friction or heating	g. Changing r the base of 1. Th hig 2. Th cu 3. Th the 4. No so	the metal pot placed on it, thus producing heat. The element's electronics power a coil that produces a gh-frequency electromagnetic field. The field penetrates the metal of the ferrous (magnetic aterial) cooking vessel and sets up a circulating eddy rrent, which generates heat. The heat generated <i>in the cooking vessel</i> is transferred to

A pulsing current is applied to the coil, which then induces a magnetic field shown. When the magnetic field of the coil moves across metal, such as the coin in this illustration, the field induces electric currents (called eddy currents) in the coin. The eddy currents induce their own magnetic field, which generates an opposite current in the coil, which induces a signal indicating the presence of metal.

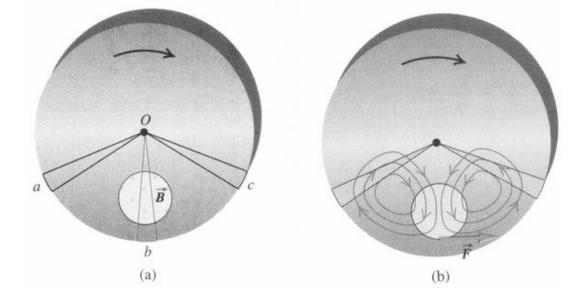


magnetic field through the secondary coil is no longer zero and changes with time, since the current is ac. The changing magnetic flux causes an induced voltage to appear in the secondary coil, which triggers the circuit breaker to stop the current. ELCB works very fast (in less than a millisecond) and turn off the current before it reaches a dangerous level.

5 Eddy current brake

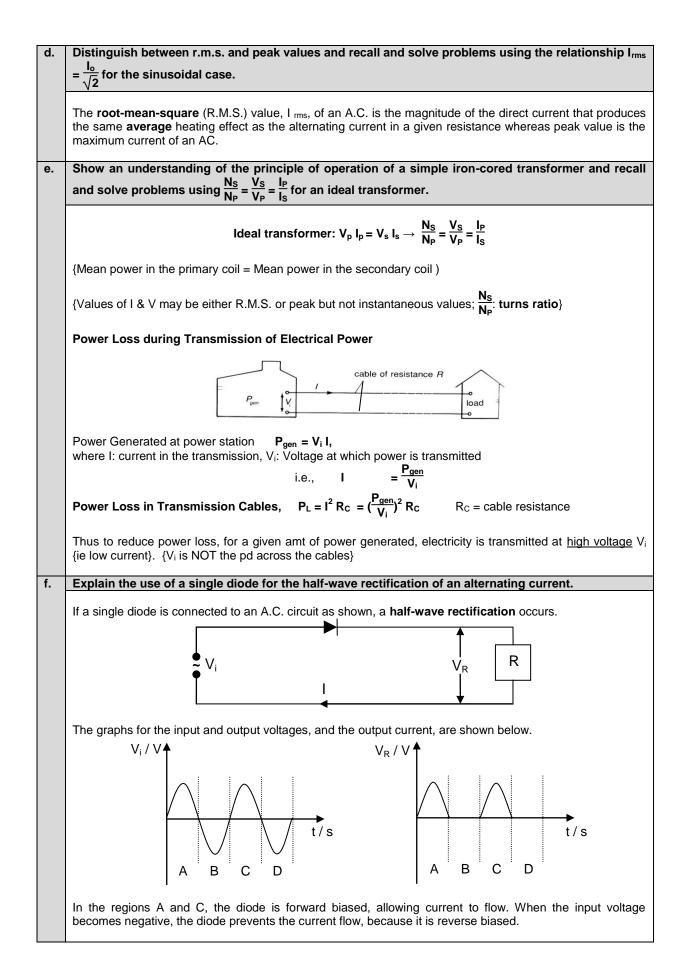
An **eddy current brake**, like a conventional friction brake, is responsible for slowing an object, such as a train or a roller coaster. Unlike friction brakes, which apply pressure on two separate objects, eddy current brakes slow an object by creating eddy currents through electromagnetic induction which create resistance, and in turn either heat or electricity.

Consider a metal disk rotating clockwise through a perpendicular magnetic field but confined to a limited portion of the disk area. (Compare this with the Faraday's disk earlier)



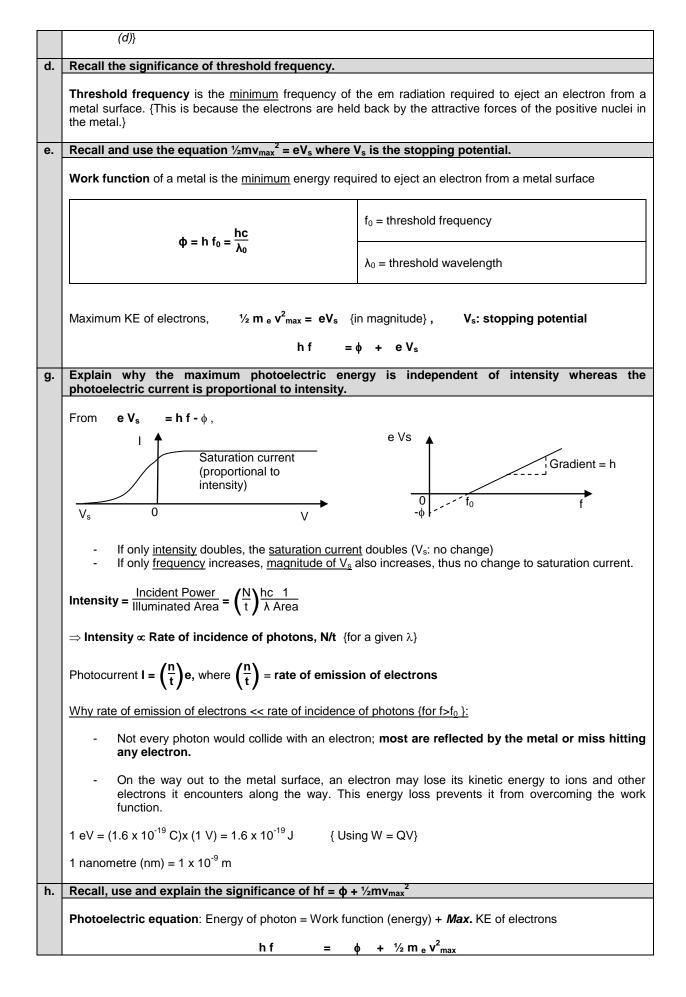
Sector Oa and Oc are not in the field, but they provide return conducting path, for charges displaced along Ob to return from b to O. The result is a circulation of eddy current in the disk. The current experiences a magnetic force that opposes the rotation of the disk, so this force must be to the right. The return currents lie outside the field, so they do not experience magnetic forces. The interaction between the eddy currents and the field causes a braking action on the disk.

Cha	apter 17: Alternating Currents					
	 Characteristics of alternating currents The transformer 					
	- Rectification with a diode					
а.	a. Show an understanding and use the terms period, frequency, peak value and root-mea value as applied to an alternating current or voltage.					
	I / A (or V / V) ↑					
	3					
	0	20 /40 t/ms				
	-3					
	' Peak current, l₀	= 3 A				
	Peak-to-peak current, I _{p-p}	= 6 A				
	Period, T	= 20 ms				
	Frequency, $f = \frac{1}{T}$	= 50 Hz				
	•	(This is the frequency of the mains supply in Singapore.)				
	Angular Frequency, ω	= $2 \pi f$ = 314 rad s ⁻¹				
	Instantaneous current:	the current at a particular instant.				
	Since this A.C. signal can be des	cribed by the equation:				
	$ I = I_0 \sin (\omega t) $ or $ V = V_0 \sin (\omega t) $					
	the instantaneous curre	nt I or voltage V at time t is given by $I_0 \sin (\omega t)$ or $V_0 \sin (\omega t)$.				
	Note: Both the period and am	plitude of a sinusoidal A.C should be constant .				
		an alternating current is defined as that <u>steady {NOT <i>direct</i>}</u> current that \underline{t} {ie I ² R} as the alternating current <u>in a given resistor.</u>				
b.	Deduce that the mean powe alternating current.	r in a resistive load is half the maximum power for a sinusoidal				
	(Instantaneous) sinusoidal cur	rent: I = I ₀ sinωt , {Similarly, V = V ₀ sinωt }				
	$I_{\rm rms} = \frac{I_0}{\sqrt{2}}, V_{\rm rms} = \frac{V_0}{\sqrt{2}}, {\text{for sinusoidal ac only}}$					
	Relationship between Peak, &	RMS values of PD & Current: $V_0 = I_0 R$, $V_{rms} = I_{rms} R$				
	Mean/Ave Power, P _{ave}	$= I_{rms}^2 R = \frac{V_{rms}^2}{R} = I_{rms} V_{rms}$				
		= $\frac{1}{2}$ x Maximum Instantaneous Power = $\frac{1}{2}$ I_0V_0 {for sinusoidal AC}				
	Max (Instantaneous) Power, P	$_{\rm nax} = I_0 V_0 = I_0^2 R$				
c.	Represent an alternating curre	nt or an alternating voltage by an equation of the form $x = xosin\omega t$.				
	For sinusoidal current					



SECTION VI MODERN PHYSICS

Ch		Quantum Physics				
		ergy of a photon				
		photoelectric effect				
	 Wave-particle duality Energy levels in atoms 					
		 Line spectra X-ray spectra 				
		a uncertainty principle				
		nrödinger model				
		rier tunnelling				
а.		n appreciation of the particulate nature of electromagnetic radiation.				
		on is a discrete packet {or quantum} of energy of an electromagnetic radiation/wave.				
b.	Recall	and use E = hf				
	Energy	of a photon, $\mathbf{E} = \mathbf{h} \mathbf{f} = \frac{\mathbf{h} \mathbf{c}}{\lambda}$ where h: Planck's constant				
	$\lambda_{\text{violet}} \approx 4$	1×10^{-7} m, $\lambda_{red} \approx 7 \times 10^{-7}$ m {N07P1Q34: need to recall these values}				
		of electromagnetic radiation, P = Rate of incidence of photon x Energy of a photon = $\left(\frac{N}{t}\right)\frac{hc}{\lambda}$				
c.	electro	an understanding that the photoelectric effect provides evidence for a particulate nature of magnetic radiation while phenomena such as interference and diffraction provide evidence				
f.		ave nature. I photoelectric phenomena in terms of photon energy and work function energy.				
••	Слріан	photoelectric phenomena in terms of photon energy and work function energy.				
		lectric effect refers to the <u>emission of electrons</u> from a cold <u>metal surface</u> when <u>electromagnetic</u> <u>n</u> of <u>sufficiently high frequency</u> falls on it.				
	<u>4 Major</u>	Observations:				
	(a)	No electrons are emitted if the frequency of the light is below a minimum frequency {called the threshold frequency }, regardless of the intensity of light				
	(b)	Rate of electron emission {ie photoelectric current} is proportional to the light intensity.				
	(c)	{Emitted electrons have a range of kinetic energy, <u>ranging from zero to a certain maximum value</u> . Increasing the freq increases the kinetic energies of the emitted electrons and in particular, increases the maximum kinetic energy.} This <u>maximum</u> kinetic energy depends only on the frequency and the metal used { ϕ }; the intensity has no effect on the kinetic energy of the electrons.				
	(d)	Emission of electrons begins instantaneously {i.e. no time lag between emission & illumination} even if the intensity is very low.				
		NB: (a), (c) & (d) cannot be explained by Wave Theory of Light; instead they provide evidence for the particulate/particle nature of electromagnetic radiation.				
		ation for how photoelectric effect provides evidence for the particulate nature of em				
	{Consid	on:{ N07P3}) er the observations (a), (c) & (d). Use <u>any 2</u> observations above to describe how they provide se that em radiation has a particle nature.}				
	-	According to the "Particle Theory of Light", em radiation consists of a stream of particles/photons/discrete energy packets, <u>each of energy hf</u> . Also, <i>no more than one electron can absorb the energy of one photon</i> {" <u>All-or-Nothing Law</u> ".}				
	-	Thus if the energy of a photon hf < the minimum energy required for emission (ϕ), no emission can take place no matter how intense the light may be. {E <i>xplains observation (a)</i> }				
	-	This also explains why, {even at very low intensities}, as long as $hf > \phi$, emission takes place without a time delay between illumination of the metal & ejection of electrons.{Explains observation				



i.	Describe and interpret qualitatively the evidence provided by electron diffraction for the wave nature of particles.				
j.	Recall and use the relation for the de Broglie wavelength $\lambda = \frac{n}{p}$.				
	Wave-Particle Duality Concept				
- Refers to the idea that light and matter {such as electrons} have both wave & particle					
	- The wavelength of an object is given by $\lambda = \frac{h}{p} \{p: \text{momentum of the particle.}\}$				
	- Interference and diffraction provide evidence for the wave nature of E.M. radiation.				
	- <u>Photoelectric effect</u> provides evidence for the <u>particulate nature</u> of E.M. radiation.				
	- These evidences led to the concept of the wave-particle duality of light .				
	Electron diffraction provides evidence that matter /particles have also a wave nature & thus, have a dual nature.				
	de Broglie wavelength of a particle {"matter waves"}, $\lambda = \frac{h}{p}$				
k. I.	Show an understanding of the existence of discrete electron energy levels in isolated atoms (e.g. atomic hydrogen) and deduce how this leads to spectral lines. Recall and solve problems using the relation $hf = E_1 - E_2$.				
	Energy Levels of Isolated Atom:				
	- Are <u>discrete</u> {i.e. can only have certain energy values.}				
	- Difference between successive energy levels ΔE: <u>decreases</u> as we move from ground state upwards.				
	Explain how existence of electron energy levels in atoms gives rise to line spectra {N03P3Q6, 4 m}				
	- Energy levels are discrete.				
	- During a downward transition, a photon is emitted.				
	- Freq of photon $f = \frac{E_i - E_f}{h}$				
	 Since E_i & E_f can only have discrete values, the freq are also discrete and so a line {rather than a spectrum is produced. {No need to mention role of spectrometer} 				
	2 common ways to cause Excitation of an atom:				
	- When bombarded by an incident <u>electron</u> where KE of incident electron > Δ E				
	i.e. $(\frac{1}{2} m_e u^2)_{before collision} = \Delta E + (\frac{1}{2} m_e v^2)_{after collision}$				
	- Absorbing an incident <u>photon</u> of frequency f where h f must = Δ E exactly				
	The energy level of the ground state gives the ionization energy , i.e. the energy needed to <u>completely</u> removes an electron initially in the <u>ground state</u> from the atom {i.e. to the energy level $n = \infty$, where $E_{\infty} = 0$ }.				
١.	Distinguish between emission and absorption line spectra.				
	Emission line spectrum: A series of discrete/separate bright lines on a dark background, produced by electron transitions within an atom from higher to lower energy levels and emitting photons.				
	An excited atom during a downward transition emits a photon of frequency f, such that $E_i - E_f = h f$				

	Absorption line spectrum: A continuous bright spectrum crossed by "dark" lines. It is produced when "white light" passes through a <u>cool</u> gas. Atoms/electrons of the cool gas absorb photons of certain frequencies and get excited to higher energy levels which are then quickly <u>re-emitted in all directions</u> .		
n.	Explain the origins of the features of a typical X-ray spectrum using quantum theory.		
	Characteristic X-rays : produced when <u>an electron is knocked out</u> of an inner shell of a target metal atom, allowing <u>another electron from a higher energy level to drop down to fill the vacancy</u> . The x-rays emitted have <u>specific</u> wavelengths, determined by the discrete energy levels which are <u>characteristic of the target</u> <u>atom</u> .		
	Continuous X-ray Spectrum {Braking Radiation (Bremsstrahlung)} : produced when <u>electrons</u> are <u>suddenly decelerated</u> upon collision with atoms of the metal target.		
	Minimum λ of cont. spectrum λ_{min} : given by $\frac{hc}{\lambda_{min}} = eV_a$, V_a : accelerating pd of x-ray tube		
о.	Show an understanding of and apply the Heisenberg position-momentum and time-energy uncertainty principles in new situations or to solve related problems.		
	Heisenberg Uncertainty Principles : If a measurement of the position of a particle is made with uncertainty Δx and a <u>simultaneous</u> measurement of its momentum is made with uncertainty Δp , the product of these 2		
	uncertainties can never be smaller than $\frac{n}{4\pi}$		
	i.e. Δx Δp ≥ <u>h</u> 4π		
	Similarly $\Delta E \Delta t \ge \frac{h}{4\pi}$ where E is the energy of a particle at time t		
р.	Show an understanding that an electron can be described by a wave function ψ where the square of the amplitude of wave function $ \psi ^2$ gives the probability of finding the electron at a point. (No		
	mathematical treatment is required.)		
q.	mathematical treatment is required.) A particle can be described by a wave function Ψ where the <u>square of the amplitude</u> of wave function, $I\Psi I^2$,		
q.	 mathematical treatment is required.) A particle can be described by a wave function Ψ where the square of the amplitude of wave function, IΨ I², is proportional to the probability of finding the particle at a point. Show an understanding of the concept of a potential barrier and explain qualitatively the 		
q.	 mathematical treatment is required.) A particle can be described by a wave function Ψ where the square of the amplitude of wave function, IΨ I², is proportional to the probability of finding the particle at a point. Show an understanding of the concept of a potential barrier and explain qualitatively the phenomenon of quantum tunnelling of an electron across such a barrier. 		
q.	 mathematical treatment is required.) A particle can be described by a wave function Ψ where the square of the amplitude of wave function, IΨ I², is proportional to the probability of finding the particle at a point. Show an understanding of the concept of a potential barrier and explain qualitatively the phenomenon of quantum tunnelling of an electron across such a barrier. Potential barrier A region of electric field that prevents an atomic particle like an electron on one side of the barrier from 		
q.	 mathematical treatment is required.) A particle can be described by a wave function Ψ where the square of the amplitude of wave function, IΨ I², is proportional to the probability of finding the particle at a point. Show an understanding of the concept of a potential barrier and explain qualitatively the phenomenon of quantum tunnelling of an electron across such a barrier. Potential barrier A region of electric field that prevents an atomic particle like an electron on one side of the barrier from passing through to the other side. 		
q.	 mathematical treatment is required.) A particle can be described by a wave function Ψ where the square of the amplitude of wave function, IΨ I², is proportional to the probability of finding the particle at a point. Show an understanding of the concept of a potential barrier and explain qualitatively the phenomenon of quantum tunnelling of an electron across such a barrier. Potential barrier A region of electric field that prevents an atomic particle like an electron on one side of the barrier from passing through to the other side. OR A region where the potential energy of a particle, if it is placed there, is greater than the total energy 		
q.	 mathematical treatment is required.) A particle can be described by a wave function Ψ where the square of the amplitude of wave function, IΨ I², is proportional to the probability of finding the particle at a point. Show an understanding of the concept of a potential barrier and explain qualitatively the phenomenon of quantum tunnelling of an electron across such a barrier. Potential barrier A region of electric field that prevents an atomic particle like an electron on one side of the barrier from passing through to the other side. OR A region where the potential energy of a particle, if it is placed there, is greater than the total energy of the particle. 		
	 mathematical treatment is required.) A particle can be described by a wave function Ψ where the square of the amplitude of wave function, IΨ I², is proportional to the probability of finding the particle at a point. Show an understanding of the concept of a potential barrier and explain qualitatively the phenomenon of quantum tunnelling of an electron across such a barrier. Potential barrier A region of electric field that prevents an atomic particle like an electron on one side of the barrier from passing through to the other side. OR A region where the potential energy of a particle, if it is placed there, is greater than the total energy of the particle. Hence the particle would experience an opposing force if it tries to enter into the potential barrier Describe the application of quantum tunnelling to the probing tip of a scanning tunnelling microscope (STM) and how this is used to obtain atomic-scale images of surfaces. (Details of the 		

	scanned.				
	 <u>Quantum tunnelling</u> allows electrons to overcome the potential barrier between tip & material <u>Magnitude of tunnelling current is dependent on the dist betw the tip and the surface</u>. There are two methods to obtain images of the surface of the material: 				
	(1) Maintain the tip at constant height and measure the tunnelling current(2) Maintain a constant tunnelling current and measure the (vertical) position of the tip.				
	(A feedback device adjusts the vertical height of the tip to keep the tunnelling current const as the tip is scanned over the surface {Method 2}). The output of the device provides an image of the surface contour of the material.)				
S.	Apply the relationship transmission coefficient T \propto exp(-2kd) for the STM in related situations or to solve problems. (Recall of the equation is not required.)				
	Transmission coefficient (T): measures the probability of a particle tunnelling through a barrier.				
		$k = \sqrt{\frac{8\pi^2 m(U - E)}{h^2}} $ {given in Formula List}			
	2 k.d	d: the thickness of the barrier in metres			
	$T = e^{-2 k d}$	m: mass of the tunnelling particle in kg			
		U: the "height" of the potential barrier in J {NOT: eV}			
		E: the energy of the electron in J			
		h: The Planck's constant			
t.	Recall and us	e the relationship $R + T = 1$ where R is the reflection coefficient and T is the			
		oefficient, in related situations or to solve problems.			
		ficient (R): measures the probability that a particle gets reflected by a barrier.			
		T + R = 1			

Cha	Chapter 19: Lasers and Semiconductors - Basic principles of lasers			
	- Energy bands, conductors and insulators			
	 Semiconductors Depletion region of a p-n junction 			
а.	Recall and use the terms spontaneous emission, stimulated emission and population inversion in related situations.			
	Spontaneous emission:	A process whereby a photon is emitted when an electron in an excited atom falls <u>naturally</u> to a lower energy level, i.e. <u>without requiring an external event to trigger</u> <u>it.</u>		
	Stimulated emission:	A process whereby an <u>incoming photon</u> causes/induces another photon of the <u>same frequency & phase</u> (& direction) to be emitted from an excited atom.		
	Laser:	A monochromatic, coherent, parallel beam of high intensity light.		
	Meta stable state:	An excited state whose lifetime is much longer than the typical (10 ⁻⁸ s) lifetime of excited states.		
	Population inversion:	A condition whereby there are more atoms in an excited state than in the ground state.		
		ssential for laser production because it is required for <u>population inversion</u> to be <u>ncreases the probability of stimulated emissions</u> .}		
b.		laser in terms of population inversion and stimulated emission. (Details of		
		tion of a laser are not required.)		
	Conditions to achieve Laser action:			
	a. Atoms of the laser medium must have a meta-stable state.b. The medium must be in a state of population inversion.			
	 c. The emitted photons must be confined in the system long enough to allow them to cause a chain reaction of stimulated emissions from other excited atoms. 			
C.	Describe the formation of energy bands in a solid.			
	Formation of Energy Bands in a Solid/Band theory for solids:			
	- Unlike the case of	of an <i>isolated atom</i> , in a <i>solid</i> , the atoms are <u>very much closer</u> to each other.		
	- This allows the e	ectrons from neighbouring atoms to interact with each other.		
		s interaction, each discrete energy level that is associated with an isolated atom is		
	<u>split</u> into many su { <i>This is in accord</i> <i>same energy sta</i>	dance to Pauli Exclusion Principle which states that: no 2 electrons can be in the		
	- These sub-levels are <u>extremely close</u> to one another such that they form an <u>energy band</u> . {In other words, an energy band consists of a very large number of energy levels which are very close together.}			
d.	Distinguish between con	nduction band and valence band.		
	Valence Band:	The highest energy band that is completely filled with electrons.		
	Conduction Band:	The <u>next higher</u> band; For some metals/ good conductors, it is <u>partially-filled;</u> For other metals, the VB & CB <u>overlap</u> {hence it is also <u>partially-filled</u> }		
	Energy Gap	A region where no energy state can exist;		
	{Forbidden Band}	It is the energy difference between the CB & VB		

e. Use band theory to account for the electrical properties of metals, insulators and intrinsic semiconductors, with reference to conduction electrons and holes.

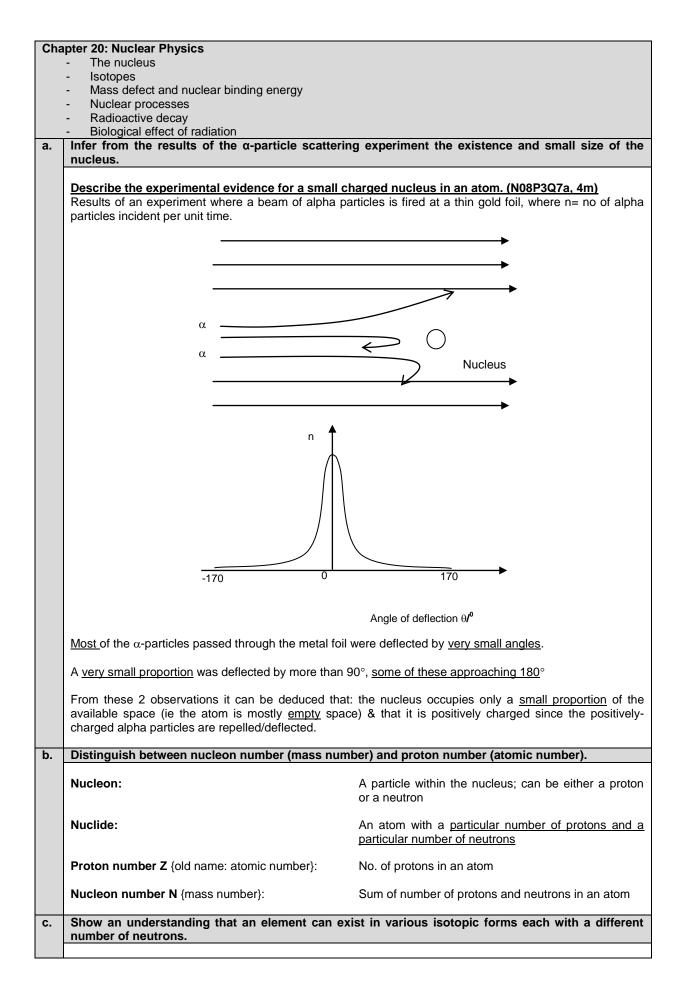
Properties of Conductors, Insulators and Semi-conductors at 0 K {"low temp"}:

	Conductors	Insulators	Semi-conductors
Conduction Band	Partially filled	Empty	
Valence Band	Completely Occupie	d	
Energy gap between the bands	NA	Large (≈10 eV)	Small (≈1 eV)
Charge Carriers	free electrons	-	free electrons & holes

How band theory explains the relative conducting ability of a metal, intrinsic semiconductor & insulator:

- For a (good)*conductor* {ie a metal}, when an electric field is applied, electrons in the <u>partially-filled</u> <u>conduction band</u> can <u>very easily</u> gain energy from the field to "jump" to unfilled energy states since they are <u>nearby</u>.
- The ease at which these electrons may move to a nearby unfilled/unoccupied energy state, plus the fact that there is a high number density of free electrons make metals very good electrical conductors.
- For an insulator, the conduction band is <u>completely unoccupied</u> by electrons; the valence band is <u>completely occupied</u> by electrons; and the <u>energy gap between the two bands is very large.</u>
- Since the conduction band is **<u>completely empty</u>**, and
- It requires a lot of energy to excite the electrons from the valence band to the conduction band across the <u>wide energy gap</u>,
- When an electric field is applied, no conduction of electricity occurs. {Thus, insulators make poor conductors of electricity.}
- For *intrinsic semi-conductors*, the <u>energy gap</u> between the two bands is <u>relatively small</u> {compared to insulator}
- As such even at room temp, some electrons in the valence band gain enough energy by <u>thermal</u> <u>excitation</u> to jump to the unfilled energy states in the conduction band, leaving vacant energy states in the valence band known as holes.
- When an electric field is applied, the electrons which have jumped into the conduction band and holes {in the valence band} act as *negative* and *positive* charge carriers respectively and conduct electricity.
- {Thus, for *intrinsic* semiconductors, the ability to conduct vary with temperature {or even light}, as light can cause photo-excitation}.

f.	Analyse qualitatively how n- and p-type doping change the conduction properties of semiconductors.			
	Doping:			
	- Refers to the addition of impurity atoms to an intrinsic semiconductor to modify the number and type of charge carriers.			
	 n-type doping increases the no. of free {NOT: valence } electrons; p-type doping increases the no. of holes. 			
	 Note that, even with a very small increase in the dopants, the electrical resistivity of an extrinsic semiconductor decreases <u>significantly</u> because the number of charge carriers of the intrinsic semiconductor is typically <u>very small</u>. 			
	Explain why electrical resistance of an intrinsic semiconductor material decreases as its temperarises. (N08P2Q5, 4 m)			
	(Based on the band theory, a semiconductor has a completely filled valence band and an empty conduction band with a small energy gap in between. Hence there are no charge carriers and the electrical resistance is high.)			
	(1) When temperature is low, electrons in the valence band do not have sufficient energy to jump across the energy gap to get into the conduction band.			
	(2) When temperature rises, electrons in the valence band receive thermal energy to enter into the conduction band leaving holes in the valence band.			
	(3) Electrons in the conduction band & holes in the valence band are mobile charge carriers and can contribute to current.			
	(4) Increasing the number of charge carriers means lower resistance.			
	2 Differences between p-type silicon & n-type silicon:			
	 In n-type Si, the <u>majority charge carrier</u> is the electron, its <u>minority charge carrier</u> is the hole. For p-type Si, the situation is reversed. 			
	 In n-type Si, the dopants are typically pentavalent atoms (having 5 valence electrons); In p-type Si, the dopants are typically trivalent atoms (valency = 3) 			
g.	Discuss qualitatively the origin of the depletion region at a p-n junction and use this to explain how a p-n junction can act as a rectifier.			
	Origin of Depletion Region			
	How a p-n junction can act as a rectifier			
	- When a p-n junction diode is connected in <u>reverse bias</u> in a circuit, the negative terminal of the battery pulls holes from the p-type semiconductor leaving behind more negatively-charged acceptor ions. At the same time the positive terminal pulls electrons from the n-type semiconductor leaving behind more positively-charged donor ions.			
	- This results in the <u>widening of the depletion region</u> and <u>an increase in the height of the potential</u> <u>barrier</u> , and so no current flows.			
	- When a p-n junction diode is connected in a forward-bias connection in a circuit, the externally applied pd opposes the contact pd across the depletion region.			
	- If the <u>externally applied pd</u> is great enough, it <u>supplies energy to the holes and electrons to</u> <u>overcome the potential barrier</u> and, so a current will flow. {In general, a forward-bias connection <u>narrows the depletion region</u> and <u>reduces the height of the potential barrier.}</u>			
	{Thus a p-n junction {diode} allows current to flow in one direction only {when the p-n junction is in forward bias} and so, it can be used as a rectifier to rectify an ac to dc}			



	Isotopes: are <u>atoms</u> with the same proton number, but different nucleon number {or different no of neutrons}				
d.	Use the usual notation for the representation of nuclides and represent simple nuclear reactions by nuclear equations of the form $\frac{14}{7}$ N + $\frac{4}{2}$ He $\rightarrow \frac{17}{8}$ O + $\frac{1}{1}$ H.				
	Self-Explanatory				
e. f.	Show an understanding of the concept of mass defect. Recall and apply the equivalence relationship between energy and mass as represented by $E = mc^2$ in problem solving.				
g. i.	Show an understanding of the concept of binding energy and its relation to mass defect. Explain the relevance of binding energy per nucleon to nuclear fusion and to nuclear fission.				
	Energy & Mass are Equivalent: $E = mc^2 \rightarrow \Delta E = (\Delta m)c^2$				
	Nuclear Binding Energy:				
	 Energy that must be supplied to completely separate the nucleus into its individual nucleons/particles. 				
	OR				
	- The energy released {not <i>lost</i> } when a nucleus is formed from its constituent nucleons.				
	B.E. per nucleon is a measure of the <u>stability</u> of the nucleus.				
	Mass Defect : The difference in mass between a nucleus and the total mass of its individual nucleons = Zm_p + (A-Z) m_n – Mass of Nucleus				
	Thus, Binding Energy. = Mass Defect × c ²				
	In both nuclear fusion and fission, products have <u>higher</u> B.E. per nucleon {due to shape of BE per nucleon-nucleon graph}, energy is released {not <i>lost</i> } and hence products are <u>more stable</u> .				
	Energy released = Total B.E. after reaction (of products) - Total B.E. before reaction (ie of reactants)				
	Nuclear fission: The disintegration of a heavy nucleus into 2 lighter nuclei. Typically, the fission fragments have approximately the <u>same mass</u> and <u>neutrons are emitted</u> .				
h.	Sketch the variation of binding energy per nucleon with nucleon number.				
	Fig below shows the variation of BE per nucleon plotted against the nucleon no.				

		Region of greatest stability	
		9.0 8.0	
	Binding energy per narricle_MeV		
	Binding	3.0 Iron-56 Uranium-238 1.0 Iron-56 Iron-56	
	© 2003	0 50 100 150 200 250 B Thomson - Brooks Cole Nucleon no	
	Warning!!! Graph is	NOT symmetrical.	
j.		problem solving the concept that nucleon number, proton number, energy and ved in nuclear processes.	
	Principle of Conser	vation of Energy-Mass:	
	Total energy-mass before reaction = Total energy-mass after reaction		
	ie, $\sum (mc^2 + \frac{1}{2}mv^2)_{\text{reactants}} = \sum (mc^2 + \frac{1}{2}mv^2)_{\text{products}} + h f \{\text{if } \gamma\text{-photon emitted}\}$		
	Energy released in nuclear reaction= $\Delta m c^2$ = (Total rest mass before reaction – Total rest mass after reaction) × c^2		
k. I.		ding of the spontaneous and random nature of nuclear decay. ture of radioactive decay from the fluctuations in count rate.	
	Radioactivity is the <u>spontaneous</u> and <u>random</u> decay of an unstable nucleus, with the emission of an <u>alpha</u> or <u>beta</u> particle, and is usually accompanied by the emission of a <u>gamma</u> ray photon.		
	Spontaneous: The	e emission is not affected by factors outside the nucleus	
	Random: It c rate	annot be predicted when the next emission will occur {Evidence in fluctuation in count- e}	
	Decay law: $\frac{\mathrm{d}N}{\mathrm{d}t}$	$ = - \lambda $ N , where N= No. of undecayed { active } nuclei at that instant;	
		= $A_0 e^{-\lambda t}$; $C = C_0 e^{-\lambda t}$: {in List of Formulae}	
m.	Show an understan	ding of the origin and significance of background radiation.	
	_	on refers to radiation from sources <u>other than the source of interest.</u>	
	$ \rightarrow$ True count rate =	Measured count rate – Background count rate	

n.	Show an understanding of the nature of α , β and γ radiations.			
	Nature of α,β & γ {J2008P2Q7 4 m}			
	Nototion	Alpha Particles	Beta particles	Gamma Particles
	Notation	α	β	Y Na sharra
	Charge Mass	+ 2e 4u	- e 1/1840 u	No charge Massless
	Nature	Particle {He nucleus}	Particle {electron	
	Nature		emitted from nucleus}	Electromagnetic Radiation
	Speed	Monoenergetic (i.e. one speed only)	Continuous range (up to approximately 98% of light)	С
0.	Define the terms activit	y and decay constant and r	ecall and solve problems	using A = λ N.
	Decay constant λ is defined as the probability of decay of a nucleus <u>per unit time</u> {or,the fraction of the total no. of undecayed nuclei which will decay per unit time. } Activity is defined as the rate at which the nuclei are disintegrating. $A = \frac{dN}{dt} = \lambda N$			
		\rightarrow A ₀	$= \lambda N_0$	
p.	Infer and sketch the exponential nature of radioactive decay and solve problems using the relationship $x = xoexp(-\lambda t)$ where x could represent activity, number of undecayed particles and received count rate.			
	Number of undecayed nuclei ∞ Mass of sample			
	→ Number of nuclei in sample = Sample Mass Mass of 1 mol x N _A			
	where, Mass of 1 mol of nuclide= Nucleon No {or relative atomic mass} expressed in grams {NOT: in kg!!}			
	{Thus for eg, mass of 1 mole of U-235 = 235 g = 235 x 10⁻³ kg , NOT: 235 kg} <u>Application of PCM to radioactive decay</u> (N08P3Q7b(iv))			
	It is useful to remember that when a stationary nucleus emits a single particle, by PCM, after the decay,the ratio of their KE = ratio of their speeds, which in turn, = reciprocal of the ratio of their masses			
q.	Define half-life.			
	Half-life is defined as the nuclei in the sample to d	ne <u>average</u> time taken for <u>ha</u> sintegrate,	alf the number {not: mass	or amount} of undecayed
		en for the <u>activity t</u> o be halved	1 <u>.</u>	
	$t_{\frac{1}{2}} = \frac{\ln 2}{\lambda}$ {in List of Form			
r.	Solve problems using the relation $\lambda = \frac{0.693}{t^{\frac{1}{2}}}$.			
	EXAMPLE 20R1 Antimony-124 has a half what will its activity be af	-life of 60 days. If a sample ter 1 year (365 days)?	of antimony-124 has an ini	tial activity of 6.5 x 10 ⁶ Bq,
	Using $A = A_0 e^{-\lambda t}$ $\rightarrow A = 9.6 \times 1$	eqn (4) & $t_{1/2} = \frac{\ln 2}{\lambda}$		

s.	Discuss qualitatively the effects, both direct and indirect, of ionising radiation on living tissues and cells.			
	Radiation damage to biological organisms is often categorized as: somatic and genetic.			
	<u>Somatic damage</u> refers to any part of the body except the reproductive organs. Somatic damage <u>harms that particular organism</u> <u>directly</u> . Some somatic effects include radiation sickness (nausea, fatigue, and loss of body hair) and burns, reddening of the skin, ulceration, cataracts in the eye, skin cancer, leukaemia, reduction of white blood cells, death, etc.			
	<u>Genetic damage</u> refers to damage to reproductive organs. Genetic effects cause <u>mutations</u> in the reproductive cells and so affect <u>future generations</u> – hence, their effects are <u>indirect</u> . (Such mutations may contribute to the formation of a cancer.)			
	Alternatively,			
	- Ionising radiation may damage living tissues and cells <u>directly</u> .			
	 It may also occur <u>indirectly</u> through chemical changes in the surrounding medium, which is mainly water. For example, the ionization of water molecules produces OH free radicals which may react to produce H₂O₂, the powerful oxidizing agent hydrogen peroxide, which can then attack the molecules which form the chromosomes in the nucleus of each cell. 			